

Charged Cosmic Rays up to the knee region and beyond (III)

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Outline of the lecture



The measurement of OP-Air



Maccompanied hadrons Measure the unaccompanied hadron flux at 2 different atm depths Balloons on top, calorimeters at ground level $\Lambda_{\rm att} = (\chi_{\rm top} - \chi_{\rm ground}) / \ln (\Phi_{\rm top} - \Phi_{\rm ground})$





Constant Nµ fix EO Constant Ne fix development stage $f(\theta) \propto \exp\{-x_o (\sec \theta - 1)/\Lambda_{obs}\}$ $\Lambda_{obs} = \lambda_{int} \kappa_{EAS}$

 $\begin{array}{l} \mathbf{X}_{max} \\ \text{Directly observed} \\ \mathbf{P}(\mathbf{X}_{max}^{rec}) \propto \exp\{-\mathbf{X}_{max}^{rec}/\Lambda_{obs}\} \\ \Lambda_{obs} = \lambda_{int} \mathbf{K}_{\mathbf{X}} \\ \text{smaller fluctuations} \\ \mathbf{X}_{max} \text{ shape from fluorescence} \\ \mathbf{X}_{max} \text{ fluct from Cerenkov} \end{array}$

The measurement of OP-Air



Outline of the lecture



Anisotropy studies with EAS arrays

T=time for a cosmic ray to reach Earth from its source in straight line τ =actual time needed by the cosmic ray



Anisotropy from Diffusion

Cosmic rays propagate in the Galaxy guided by magnetic fields $\vec{B}(\vec{r}) = \vec{B}_{reg}(\vec{r}) + \vec{B}_{turb}(\vec{r})$



$$\delta = \lambda_D \frac{\partial N}{\partial x} \frac{1}{N} = \frac{3D}{v} \left| \frac{\nabla N}{N} \right|$$

If diffusion is present, density gradients appear, since CRs flow away from the Galactic plane, and there is anisotropy



Compton-Getting effect

Motion of Earth and Solar System in an isotropic gas in the rest frame



 θ =Angle between the detector motion and the CR arrival direction

EAS arrays have uniform exposure in right ascension α (due to Earth rotation), not uniform exposure in declination $\delta : \Delta \delta = f(array geographical position, zenith angle dependence of the shower detection and reconstruction)$

Method: analysis in α , through the harmonic analysis of the counting rate within a defined δ band [formalism of Rayleigh]

amplitude $A = \delta \cos d$ (d=declination of observation) phase Φ (hour angle of the maximum intensity) probability P to detect a spurious amplitude

Experimental challenge:

 \blacktriangleright expected amplitudes very small (10⁻³ - 10⁻⁴)

need long term observations and large collecting areas

> spurious effects have to be kept as small as possible

need area uniformity and time stability, continuity of operation

> dependence on pressure and temperature

Many consistency checks are needed

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Experimental method:

- For each EAS :
 arrival time and direction, α and δ , Ε
- ✓ Correct the counting rates for P,T
- ✓ Apply some safety cuts
- Make consistency checks

 (antisidereal time distribution,
 Compton-Getting effect, etc.)



The "low" energy range

The measurements are made underground or with high altitude detectors below 10 Tev and with EAS arrays above

All data on sídereal anísotropy show good consístency up to 100 Tev

They are consistent with large scale diffusive propagation in the Galaxy

The high energy range



The transition region



Outline of the lecture







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HiRes Composition Measurement

n/cm2)

- There is a model-independent break in slope at about 10¹⁸ eV.
- Heavy (galactic) nuclei decrease, give way to light (extragalactic) composition.
- Galactic/extragalactic transition is complete by about 10¹⁸ eV.
- Fits, plus QGSJet predictions, yield model of proton fraction as a function of energy.
- All fluorescence measurements of X_{max} are consistent.

Only fluorescence experiments SEE X_{max}.



• Higher statistics needed to extend analysis up to the GZK Threshold!

The muon content from AGASA

Primary mass estimator: the muon density at 1 km $\rho_{\mu}(1000)$ Average relationship ρ_{μ} (1000)[m⁻²]= (1.26±0.16)(E_0 [eV]/10¹⁹)^{0.93±0.13}



Gradual decrease of %Fe between 1017.5 & 1019eV

Fe frac.: <35% (10¹⁹ -10^{19.5} eV) <76% (above 10^{19.5}eV)

The muon ldf from Haverah Park



 $ho_{\mu}(r) \sim r^{-(\eta + r/4000)}$

 η = steeper for EAS developing later. Compare its spread with Expectations from different primary masses



LDF reanalyzed with recent models: Fraction of protons: $(34 \pm 2)\%$ with QGSJet98. Increase to 48% with QGSJet01.

$$\langle X_{\max} \rangle = D_p \left[\ln \left(E/E_0 \right) - \langle \ln A \rangle \right] + c_p,$$



Systematics <15 (11) g cm⁻² atm+detector 22% uncertainty in FD energy scale D_{p} and c_{p} (average depth of



[M.Hillas, J.Phys.G31 (2005) R95 and ref.therein,]

Díp Model



Modífication factor:

$$\eta(E) = J_p(E) / J_p^{un \mod}(E)$$

[V.Berezínsky, 27st ICRC Conference, Merída (2007)]

Pair production dip in the propagated spectrum (p+γ_{CMB}→ e⁺e⁻)
 The dip is seen by all experiments
 Ankle is a natural feature included in the dip

The GCR/EGCR transition occurs at the second knee Very nice link to standard GCR model (transition close to E_{knee}^{Fe})

... but

Source spectrum agrees with data if $Q(E) \propto E^{-\alpha}$ with $\alpha = 2.6 - 2.7$

Nuclei admixture>10-15% destroys the agreement dip/data





Mixed composition model

- Abundance ratios at source are similar to the GCR ones: mixed composition
- Source spectrum Q(E) ∝ E^{-α} adjusted to fit data: α=2.3
 Agreement with predictions from DSAM
- The ankle = end of GCR/EGCR transition
- The dip is filled by contribution of elements other than protons
- The propagated spectra are not sensitive to a small change in composition (less He or more Fe)
 - ...but injection spectrum ∝ A ? composition?
 - [N.Globus et al., A&A 437 (2007) 1]



Cannonball model

CB of ordinary matter plasma is emitted when part of the accretion disk falls onto the compact object $\gamma_{\rm CB} \sim 10^3$ to agree with observations $E_{\rm jet} \sim 1.5 \ 10^{51} \ {\rm erg} \ (5 \ {\rm CB/jet})$

Fluxes at 1st knee: $E_p \sim 4 \ 10^{15} \text{ eV},$ $E_A \sim A E_p$

Flux at 2nd knee: dominated by Galactic Fe

Extragalactic protons above 10^{19} eV. Acceleration stops When $r_{L} \sim r_{CB'}$ (2-6) 10^{11} Z GeV

The expected X_{max} is intermediate between dip and mixed composition models

Transition in all models : a steep galactic spectrum intersecting a flatter extragalactic one

All models must explain the measured spectrum and composition and agree with the Standard Model of Galactic Cosmic Rays









The transition is much smoother, the composition becomes proton-dominated only above 10^{19} eV.

Clear underestimation of

Xmax



Míxed comp.model Good fit of Fly's Eye and Yakutsk.

Dífferencies within 20 g cm⁻²



Outline of the lecture



Kascade-Grande

Study of the elemental composition up to 10¹⁸ eV
 Search for Fe cut-off (Fe knee)
 Study of the 2nd knee







- All particl energy spectrum from their combination
- Unfolding is possible : composition

7

6

KASCADE

4.5

5

5.5

6.5

log₁₀ N,

6

6.5

5.5 5 4.5_{3.5} 10

ICETOP & ICECUbe

IceTop: 80 paírs of frozen water tanks, 2 DOMs/tank - 26 completed in 2007 E deposition at surface

IceCube: 80 strings of 60 digital optical modules (DOM) cables each 17m, 1 IceTop pair/IceCube string - 22 completed in 2007 Cerenkov light from μ bundles

Coincidence rate ~0.2 Hz At completion → 300 TeV - 1 EeV









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TALE

Telescope Array Low Energy extension

- 2 sets of fluorescence detectors viewing 3-31°
- 1 fluorescence detector (Tower) viewing 31-71°
- 100 surface detectors infill array (400 m spacing)
- 28 μ stations 3 km away from Tower (inner part 200 m spacing)





> Hybrid reconstruction of EAS down to few 10^{16} eV

> Study of primary composition $10^{16.5} - 10^{18.5} eV$





At low elevation field of view, the X_{max} of low energy EAS is seen only at large distance



3 additional fluorescence detectors with elevated field of view; 30°-60° above horizon



AMIGA

Simulation: μ count rates at 10^{18} eV, 30° 5000 events/year expected for $E > 10^{17.5}$ eV

HEAT

Símulation: longitudinal profile of a shower

E^{17.25} eV, core distance 1.2 km

Summary on the transition region

The transition region is of the utmost importance to understand the global picture of origin, acceleration and propagation of GCR +EGCRs

Different models can be distinguished using their prediction on composition, spectral shape and anisotropy

The present Hires X_{max} results seem to confirm the proton-dominant composition expected in the frame of the dip model. Anger data are In agreement within errors.

All 3 models need adjustment to match the Galactic spectrum, but some ways out can be found

Future projects, first Kascade-Grande and TALE, and in the future the Auger low energy enhancements, will give us a powerful tool to clarify the problem



THE END ?

.... of course NOT !!!

Right ascension and declination

Declination δ



$$S_{D} = \sin \delta_{L} \cos \vartheta + \cos \delta_{L} \sin \vartheta \sin \varphi$$

$$C_{D} = (1 - S_{D}^{2})^{\frac{1}{2}}$$

$$\delta = \tan \frac{S_{D}}{C_{D}} \qquad \qquad \delta_{I} = latitude \ of the array$$

$$\frac{\text{Right ascension r.a.}}{\text{Right ascension r.a.}}$$

$$S_{H} = -\cos \varphi$$

$$C_{H} = -\sin \varphi \sin \delta_{L} + \tan \vartheta \cos \delta_{L}$$

$$r.a. = t_{s} - \tan \frac{S_{H}}{C_{H}} \qquad t_{s} = local \ side real time$$

$$r.a. \text{ is measured in units of side real time}$$

$$\begin{array}{ll} \text{The Fourier analysis:} \\ \text{A serie of experimental} \\ \text{data } x(t) \text{ measured in the} \\ \text{time interval } & x(t) = \frac{a_0}{2} + \sum_{1 \leq k \leq \infty} \left(a_k \cos \frac{2\pi kt}{T} + b_k \sin \frac{2\pi kt}{T} \right) \\ x(t) = \frac{a_0}{2} + r_i \sin \left(\frac{2\pi t}{T} + \varphi_i \right) + \ldots + r_k \sin \left(\frac{2\pi kt}{T} + \varphi_i \right) + \ldots \\ x(t) = \frac{a_0}{2} + r_i \sin \left(\frac{2\pi t}{T} + \varphi_i \right) + \ldots + r_k \sin \left(\frac{2\pi kt}{T} + \varphi_i \right) + \ldots \\ \text{And for identical dt:} \\ \hline r_k = \sqrt{a_k^2 + b_k^2} & \tan \varphi_k = \frac{a_k}{b_k} \end{array} \\ \begin{array}{l} a_k = \frac{2}{N} \sum_{1 \leq i < N} x_i \cos \frac{2ki\pi}{N} & b_k = \frac{2}{N} \sum_{1 \leq i < N} x_i \sin \frac{2ki\pi}{N} \\ \text{Amplitude and phase of the k-th harmonic} \end{array}$$

The Rayleigh formula

If a first harmonic amplitudine $r \neq 0$ is detected, the probability of it being the result of a fluctuation in an isotropic distribution is (for N data points)

$$P(>r) = \exp\left(\frac{-r^2N}{4}\right)$$

with a significance

$$k = \frac{r^2 N}{4}$$





The EG magnetic field

EGMF poorly constained Current upper limits: < few nG

Individual trajectories depend only on $r_g \sim 1.1 \text{ Mpc } E_{Eev}/Z.B_{ng}$

- Ballístic regime: deflections small, distance from source d~ct
- Díffusive regime: Isotropized particles undergo díffusive propagation, d~√Dt

<u>Magnetic horizon</u> = maximum distance CR travel away from their source in a MF $\frac{R_{magn}(E) \approx \sqrt{4D(E)\min(\tau_{90}, t_s)}}{R_{magn}(E) \approx \sqrt{4D(E)\min(\tau_{90}, t_s)}}$

At "low" energies (10^{17} - 10^{18} eV) possible suppression of the flux !