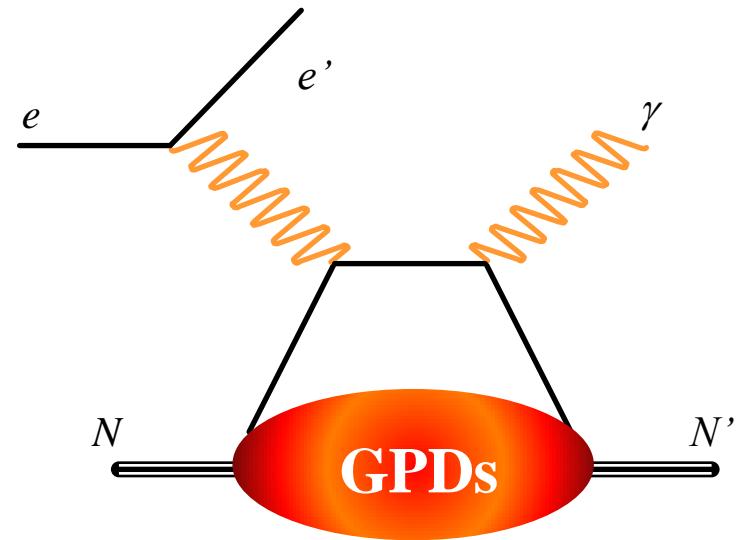


Experimental studies of nucleon structure via Generalized Parton Distributions

Silvia Niccolai, IPN Orsay, for the CLAS Collaboration



- Interest of GPDs
- GPDs and Deeply Virtual Compton Scattering
- Recent DVCS results from Jefferson Lab
- Nucleon tomography
- The JLab 12 GeV GPD program

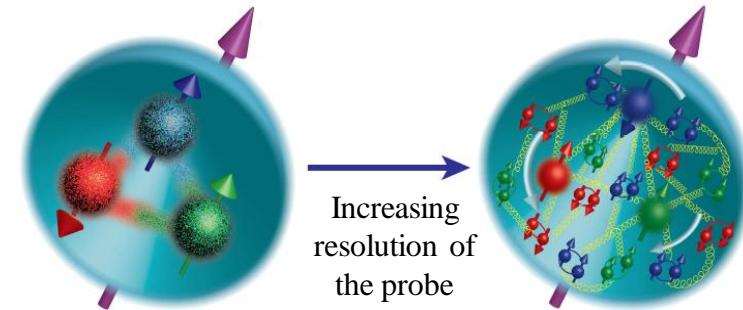
Exploring the partonic structure of the nucleon

Protons and neutrons are the building blocks of atomic **nuclei**.

Nucleons provide **~99% of the mass** of the visible universe.

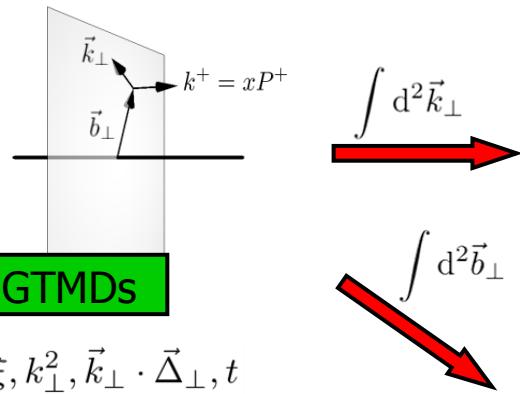
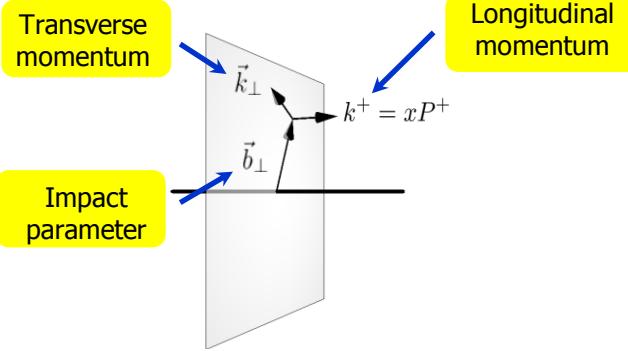
~99% of nucleon mass arises from the **interactions** between its constituents (**quarks and gluons**).

The **structure of the nucleons** determines their **fundamental properties**, which affect the properties of **nuclei**.



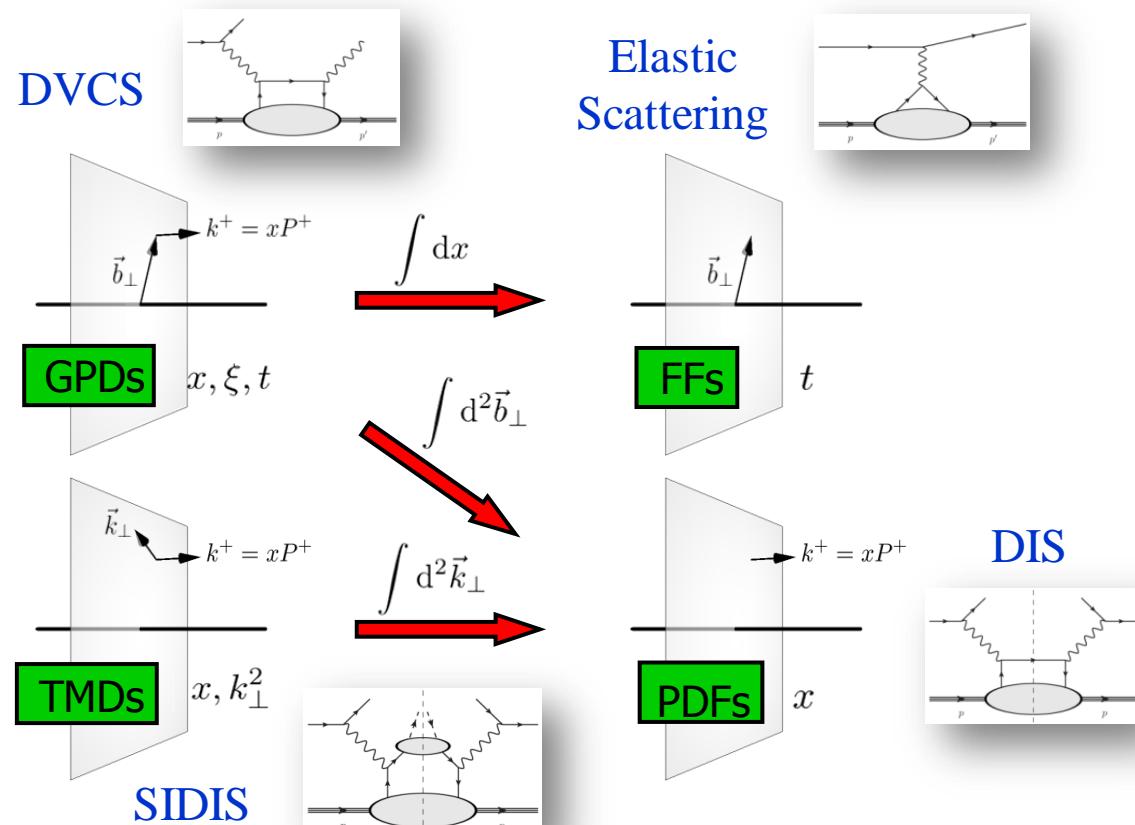
- How do the **QCD** Lagrangian degrees of freedom relate to the **hadrons** we observe?
- How do the **spin** and the **mass** of the nucleon emerge from the dynamics of its constituents?
- How do the parton dynamics **evolve with the resolution** of the hard probe?

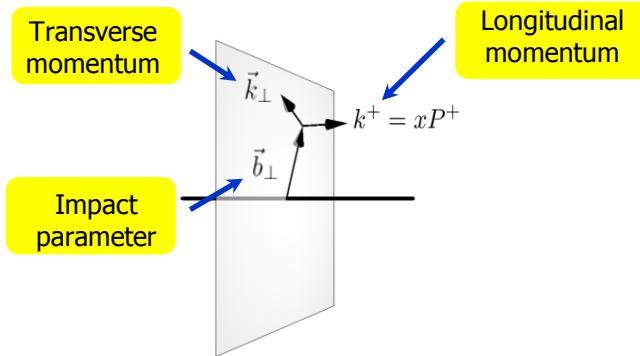
Understanding how the nucleon is built in terms of its underlying quark and gluon degrees of freedom is an important and challenging issue in nuclear physics nowadays
→ **electron-nucleon scattering** is a precious tool to address it



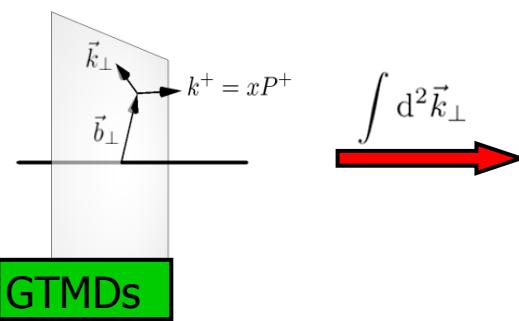
A complete picture of nucleon structure requires the measurement of all these distributions

Multi-dimensional mapping of the nucleon via electron scattering





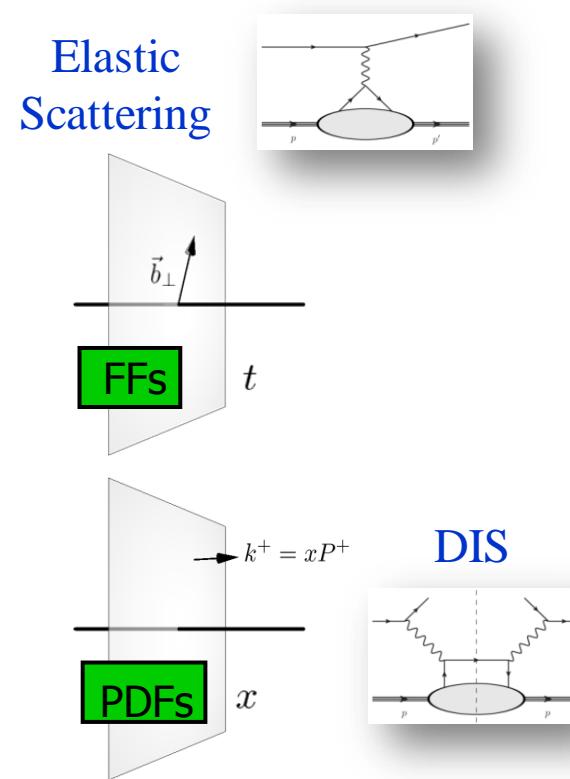
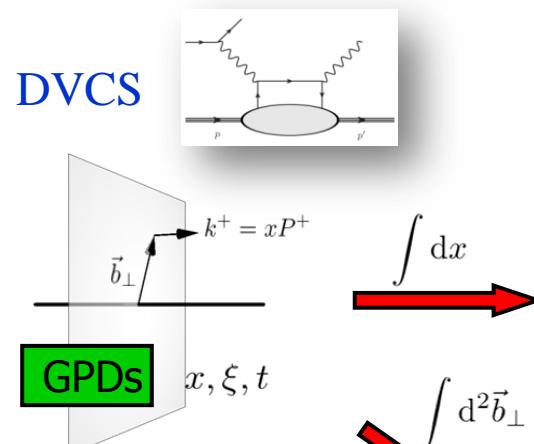
Multi-dimensional mapping of the nucleon via electron scattering



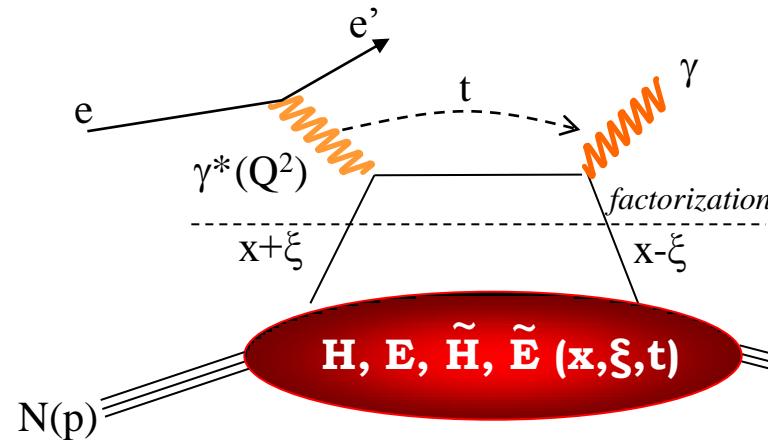
$$x, \xi, k_\perp^2, \vec{k}_\perp \cdot \vec{\Delta}_\perp, t$$

Generalized Parton Distributions:

- ✓ fully correlated parton distributions in both **coordinate** and **longitudinal momentum** space
 - ✓ linked to **FFs** and **PDFs**
 - ✓ accessible in **hard exclusive** reactions (DVCS, meson production)



Deeply Virtual Compton Scattering and GPDs



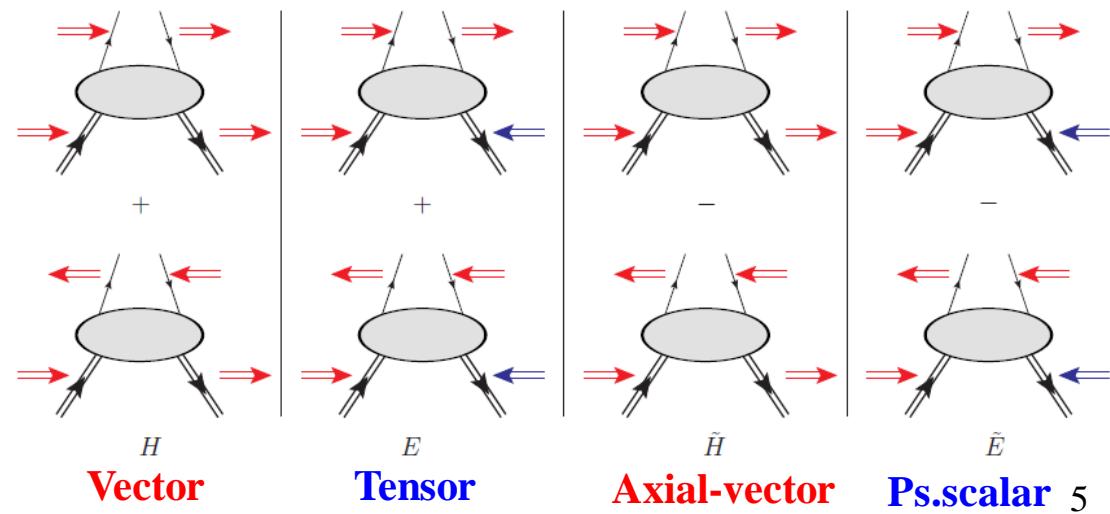
- $Q^2 = -(e - e')^2$
- $x_B = Q^2/2Mv$ $v = E_e - E_{e'}$
- $x + \xi, x - \xi$ longitudinal momentum fractions
- $t = \Delta^2 = (p - p')^2$
- $\xi \approx x_B/(2 - x_B)$

« Handbag » factorization, valid
in the Bjorken regime
(high Q^2 and v , fixed x_B), $t \ll Q^2$

GPDs: Fourier transforms of *non-local, non-diagonal QCD operators*

4 GPDs for each quark flavor
(leading-order, leading twist)

conserve nucleon spin
flip nucleon spin



Vector

Tensor

Axial-vector

Ps.scalar

Properties and “virtues” of GPDs

$$\left. \begin{array}{l} \int H(x, \xi, t) dx = F_1(t) \quad \forall \xi \\ \int E(x, \xi, t) dx = F_2(t) \quad \forall \xi \\ \int \tilde{H}(x, \xi, t) dx = G_A(t) \quad \forall \xi \\ \int \tilde{E}(x, \xi, t) dx = G_P(t) \quad \forall \xi \end{array} \right\} \text{Link with FFs}$$

$$\left. \begin{array}{l} H(x, 0, 0) = q(x) \\ \tilde{H}(x, 0, 0) = \Delta q(x) \end{array} \right\} \text{Forward limit: PDFs (not for E, } \tilde{E} \text{)}$$

Nucleon tomography

$$q(x, b_\perp) = \int_0^\infty \frac{d^2 \Delta_\perp}{(2\pi)^2} e^{i \Delta_\perp b_\perp} H(x, 0, -\Delta_\perp^2)$$

$$\Delta q(x, b_\perp) = \int_0^\infty \frac{d^2 \Delta_\perp}{(2\pi)^2} e^{i \Delta_\perp b_\perp} \tilde{H}(x, 0, -\Delta_\perp^2)$$

M. Burkardt, PRD 62, 71503 (2000)

Quark angular momentum (Ji's sum rule)

$$\frac{1}{2} \int_{-1}^1 x dx (H(x, \xi, t=0) + E(x, \xi, t=0)) = J = \frac{1}{2} \Delta \Sigma + \boxed{\Delta L}$$

X. Ji, Phys.Rev.Lett.78,610(1997)

$$\text{Nucleon spin: } \frac{1}{2} = \underbrace{\frac{1}{2} \Delta \Sigma}_{\mathbf{J}} + \Delta \mathbf{L} + \Delta \mathbf{G}$$

Intrinsic spin of the quarks $\Delta \Sigma \approx 30\%$

Intrinsic spin on the gluons $\Delta \mathbf{G} \approx 20\%$

Orbital angular momentum of the quarks $\Delta \mathbf{L} ?$

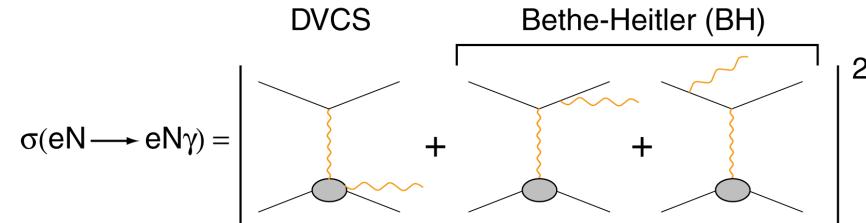
Accessing GPDs through DVCS

$$T^{DVCS} \sim F \int_{-1}^{+1} \frac{GPDs(x, \xi, t)}{x \pm \xi} dx \pm i\pi GPDs(\pm \xi, \xi, t) + \dots$$

$$Re \mathcal{H}_q = e_q^2 P \int_0^{+1} \left(H^q(x, \xi, t) - H^q(-x, \xi, t) \right) \left[\frac{1}{\xi - x} + \frac{1}{\xi + x} \right] dx$$

$$Im \mathcal{H}_q = \pi e_q^2 [H^q(\xi, \xi, t) - H^q(-\xi, \xi, t)]$$

Proton Neutron



$$\sigma \sim |T^{DVCS} + T^{BH}|^2$$

$$\Delta \sigma = \sigma^+ - \sigma^- \propto I(DVCS \cdot BH)$$

Polarized beam, unpolarized target:

$$\Delta \sigma_{LU} \sim \sin \phi \operatorname{Im}\{F_1 \mathcal{H} + \xi(F_1 + F_2) \tilde{\mathcal{H}} - k F_2 \mathcal{E} + \dots\} \rightarrow \begin{aligned} & Im\{\mathcal{H}_p, \tilde{\mathcal{H}}_p, \mathcal{E}_p\} \\ & Im\{\mathcal{H}_n, \tilde{\mathcal{H}}_n, \mathcal{E}_n\} \end{aligned}$$

Unpolarized beam, longitudinal target:

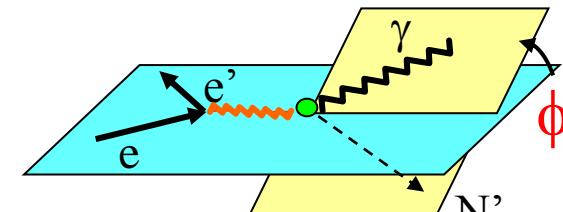
$$\Delta \sigma_{UL} \sim \sin \phi \operatorname{Im}\{F_1 \tilde{\mathcal{H}} + \xi(F_1 + F_2)(\mathcal{H} + x_B/2 \mathcal{E}) - \xi k F_2 \tilde{\mathcal{E}}\} \rightarrow \begin{aligned} & Im\{\mathcal{H}_p, \tilde{\mathcal{H}}_p\} \\ & Im\{\mathcal{H}_n, \mathcal{E}_n\} \end{aligned}$$

Polarized beam, longitudinal target:

$$\Delta \sigma_{LL} \sim (A + B \cos \phi) \operatorname{Re}\{F_1 \tilde{\mathcal{H}} + \xi(F_1 + F_2)(\mathcal{H} + x_B/2 \mathcal{E}) + \dots\} \rightarrow \begin{aligned} & Re\{\mathcal{H}_p, \tilde{\mathcal{H}}_p\} \\ & Re\{\mathcal{H}_n, \mathcal{E}_n\} \end{aligned}$$

Unpolarized beam, transverse target:

$$\Delta \sigma_{UT} \sim \cos \phi \sin(\phi_s - \phi) \operatorname{Im}\{k(F_2 \mathcal{H} - F_1 \mathcal{E}) + \dots\} \rightarrow \begin{aligned} & Im\{\mathcal{H}_p, \mathcal{E}_p\} \\ & Im\{\mathcal{H}_n\} \end{aligned}$$

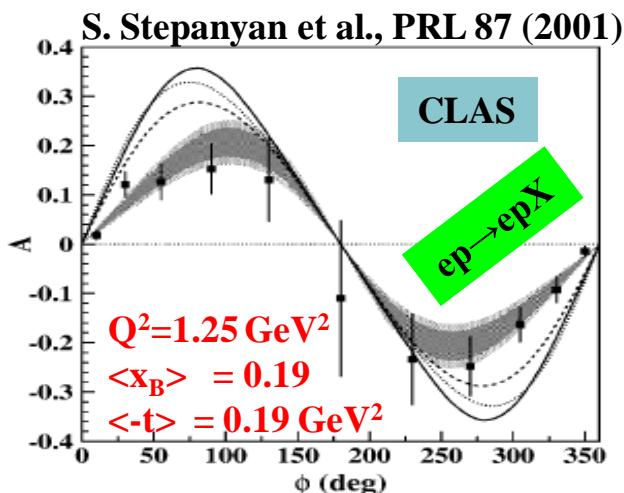
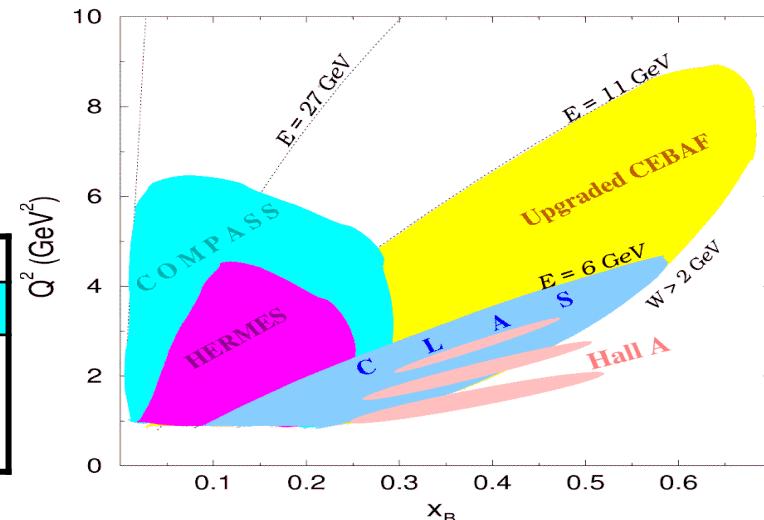


DVCS experiments worldwide

JLAB	
Hall A	CLAS (Hall B)
p,n-DVCS, Beam-pol. CS	p-DVCS, BSA,ITSA,DSA,CS

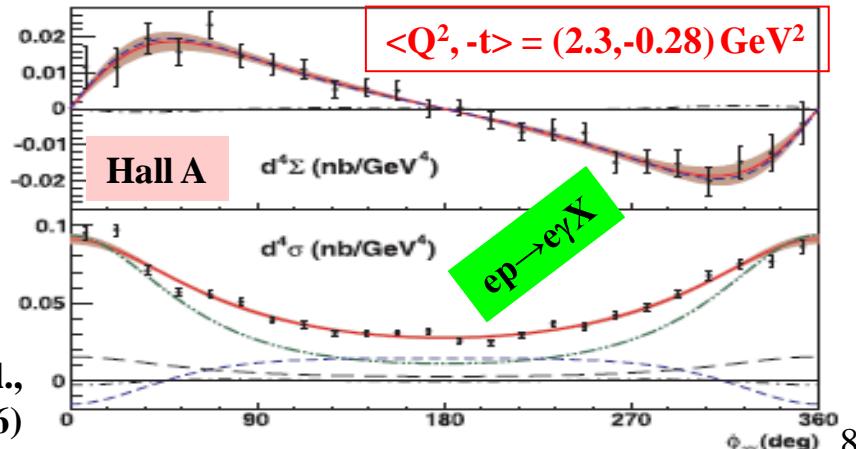
DESY	
HERMES	H1/ZEUS
p-DVCS,BSA,BCA, tTSA,ITSA,DSA	p-DVCS,CS,BCA

CERN
COMPASS
p-DVCS CS,BSA,BCA, tTSA,ITSA,DSA

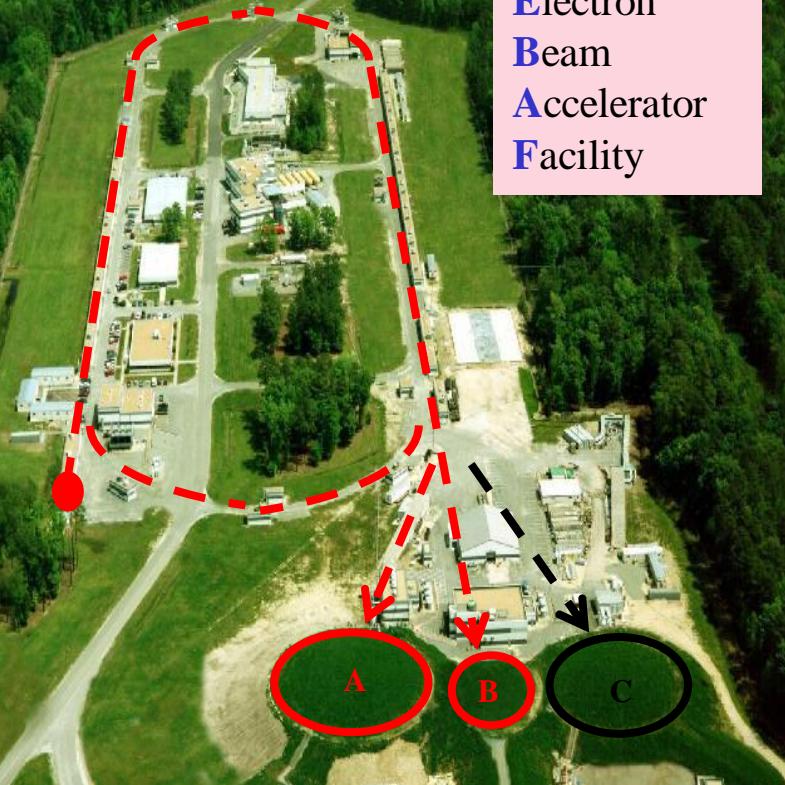


CLAS, HERMES:
 first observation of
 DVCS-BH
 interference

Hall A: proof of
 scaling for DVCS
 C.M. Camacho et al.,
 PRL 97 (2006)



JLab@6 GeV



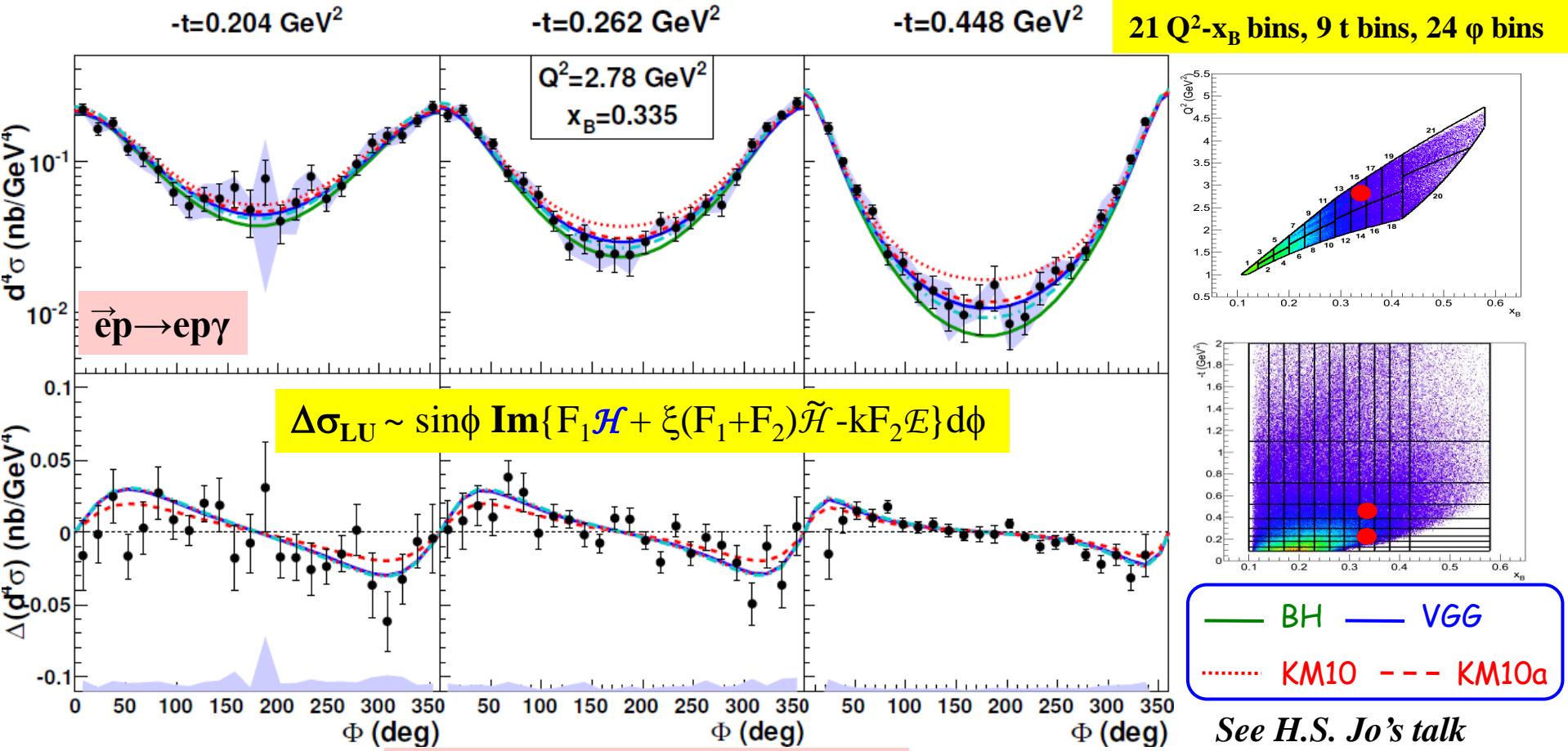
- $E_{\max} \sim 6.0 \text{ GeV}$, $I_{\max} \sim 200 \text{ mA}$, pol. $\sim 85\%$
- Simultaneous delivery to 3 halls
- Shutdown in May 2012

Continuous
Electron
Beam
Accelerator
Facility



+ dedicated
calorimeters to
detect forward-
emitted DVCS-
BH photons

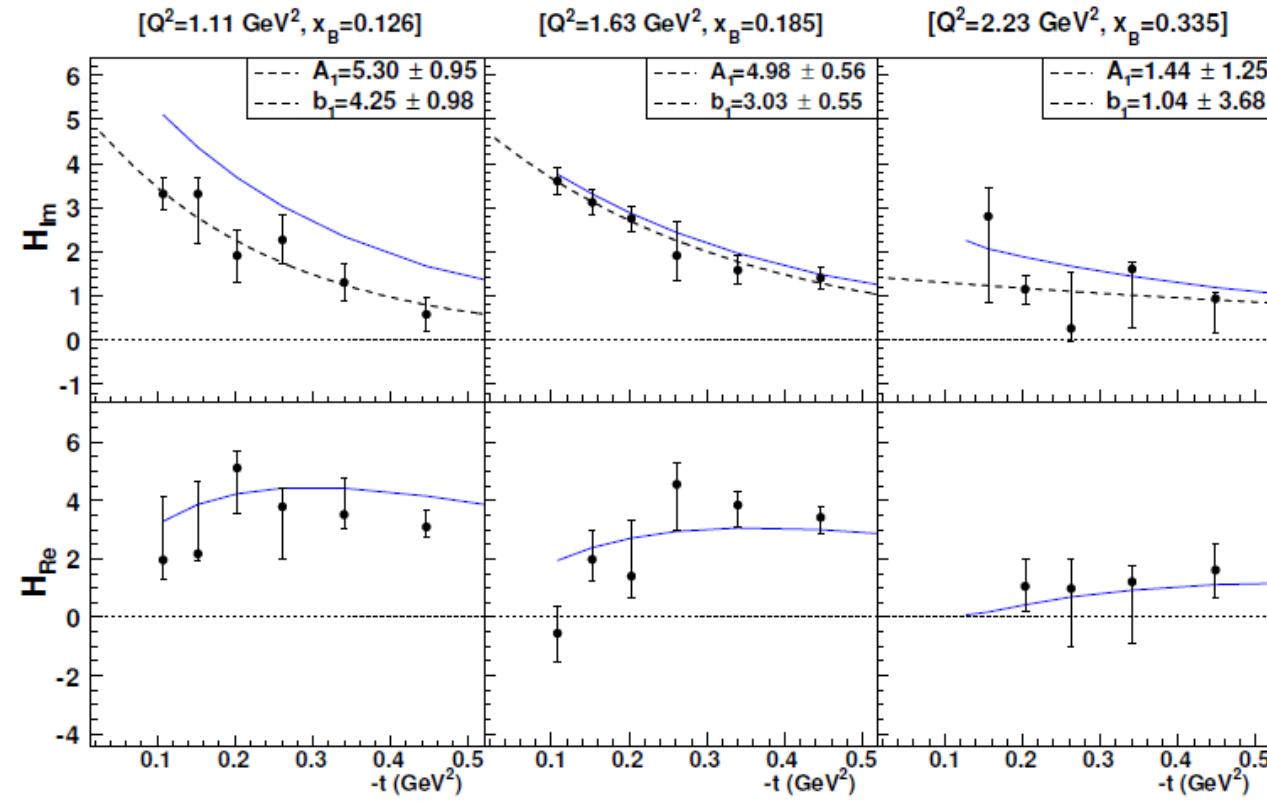
CLAS: unpolarized and beam-polarized cross sections



H.S. Jo et al., PRL 115, 212003 (2015)

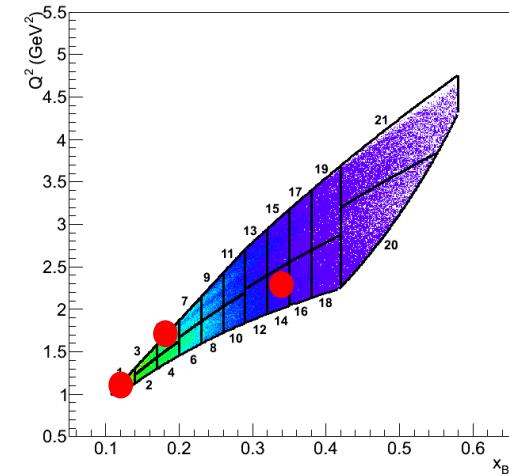
See H.S. Jo's talk
today at 16:10 (R7)

Extraction of CFFs from CLAS pol. and unpol. cross sections



*CFF fits by M. Guidal
(H and H only)
Ae^{-bt} fit*

VGG predictions



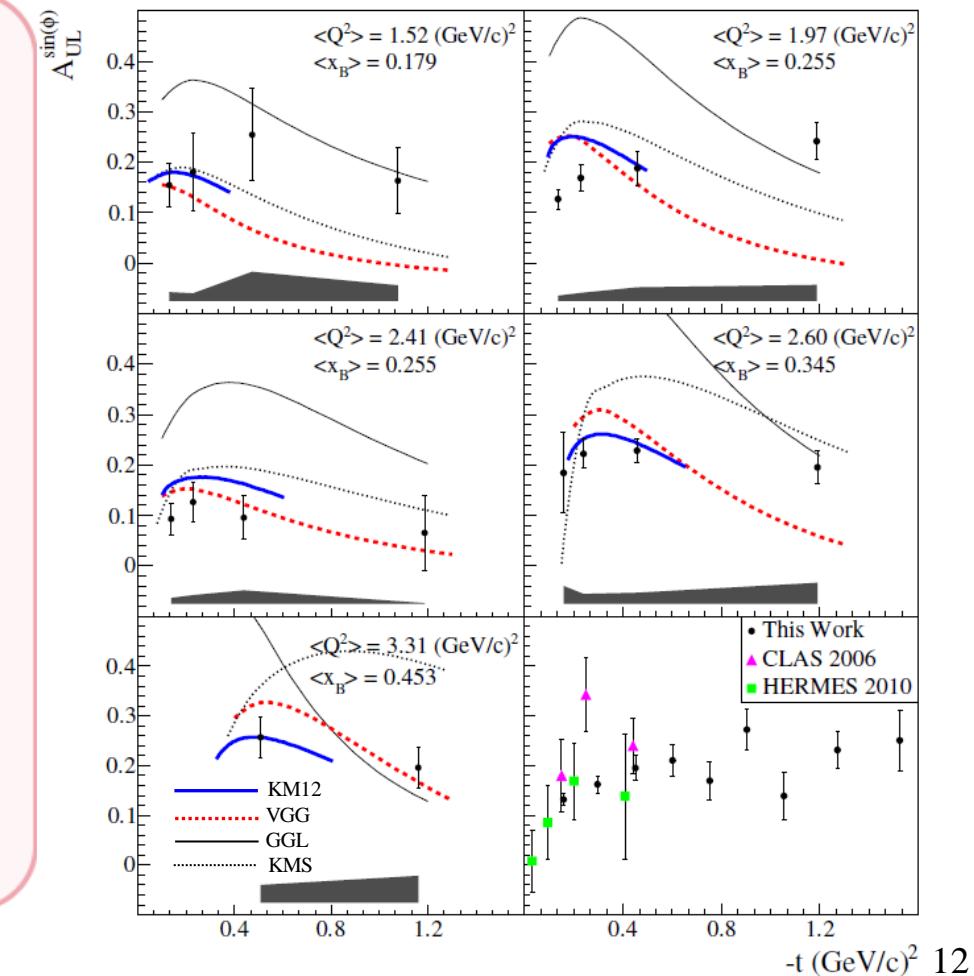
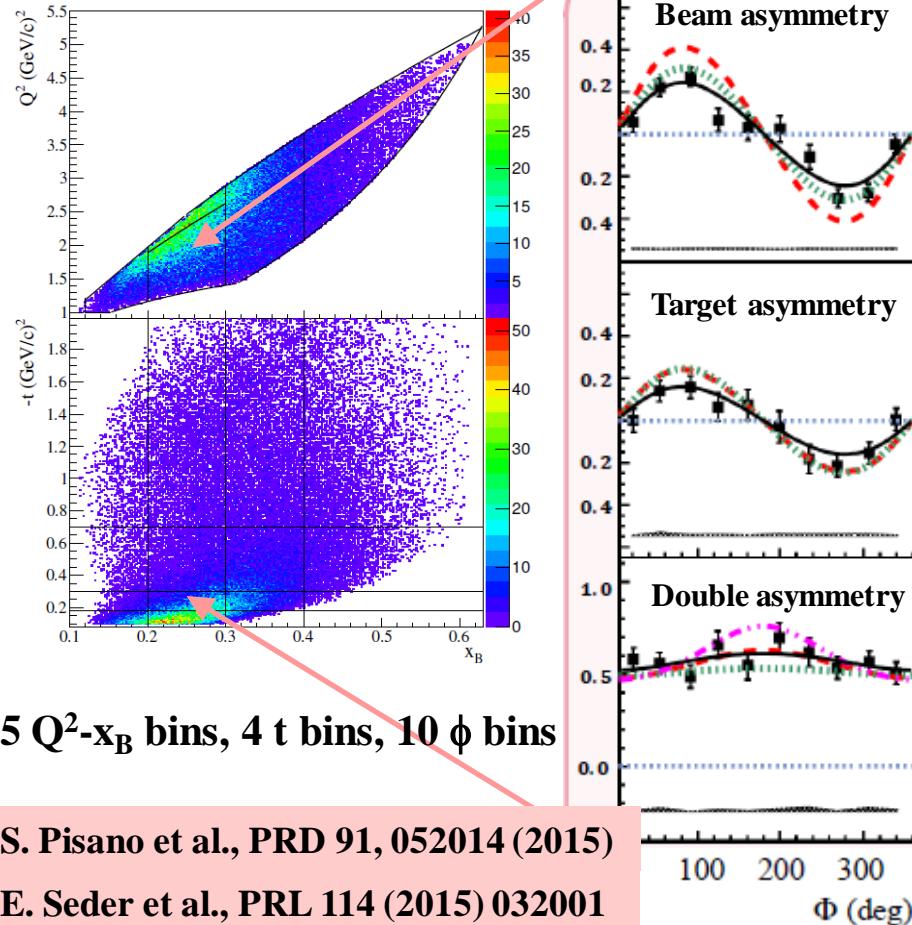
$$q(x, b_\perp) = \int_0^\infty \frac{d^2 \Delta_\perp}{(2\pi)^2} e^{i \Delta_\perp b_\perp} H(x, 0, -\Delta_\perp^2)$$

$Im(\mathcal{H}_p)$, flatter t slope at high x_B : faster quarks (valence) at the core of the nucleon, slower quarks (sea) at its periphery → PROTON TOMOGRAPHY

CLAS: DVCS on longitudinally polarized target

$\vec{e}p \rightarrow e\gamma$

$$\Delta\sigma_{UL} \sim Im\{\mathcal{H}_p, \tilde{\mathcal{H}}_p\}$$



Extraction of CFFs from CLAS TSA, BSA, DSA

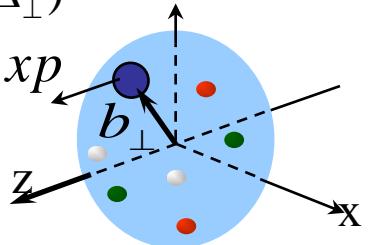
CFFs fitting code by M. Guidal (7 CFFs)

$\text{Im}\mathcal{H}$ has steeper t-slope than $\text{Im}\tilde{\mathcal{H}}$: the axial charge is more “concentrated” than the electric charge
 → PROTON TOMOGRAPHY

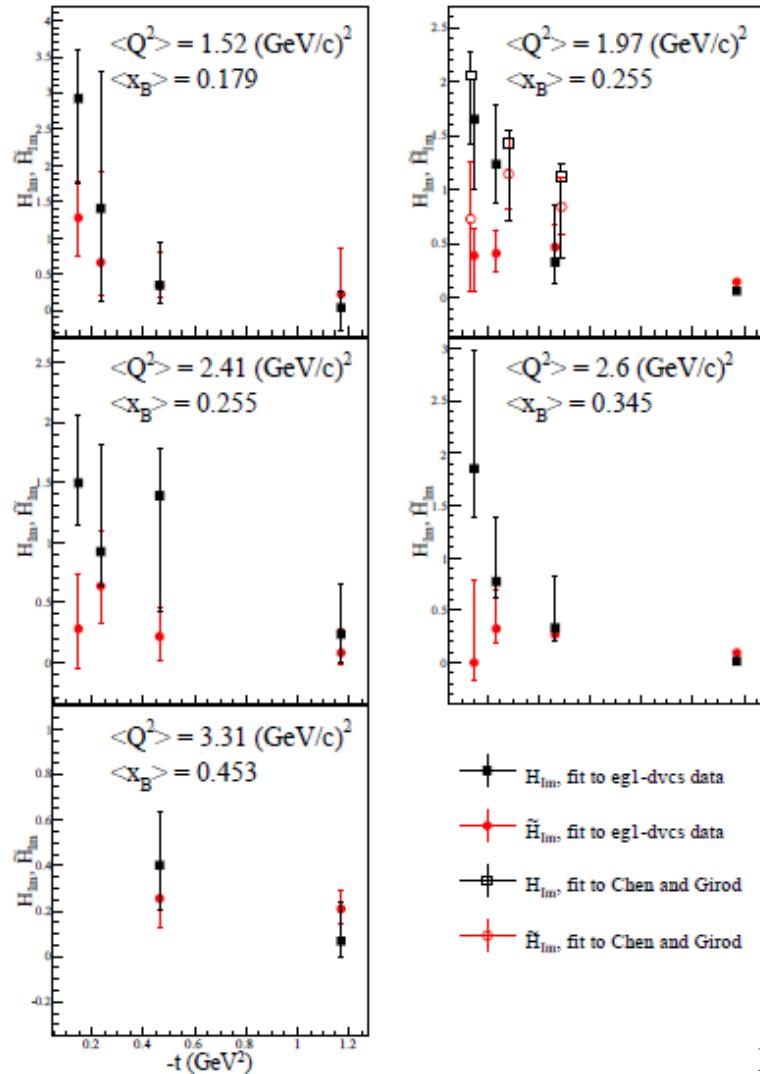
$$\Delta q(x, b_\perp) = \int_0^\infty \frac{d^2 \Delta_\perp}{(2\pi)^2} e^{i \Delta_\perp b_\perp} \tilde{H}(x, 0, -\Delta_\perp^2)$$

$$\int H(x, \xi, t) dx = F_1(t)$$

$$\int \tilde{H}(x, \xi, t) dx = G_A(t)$$

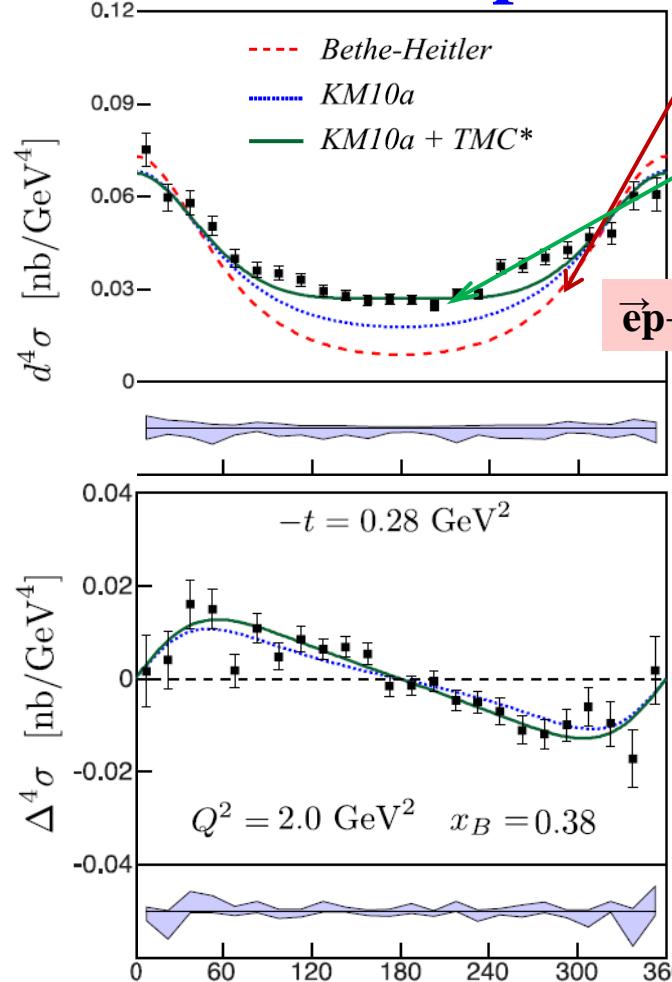


S. Pisano et al., PRD 91, 052014 (2015)

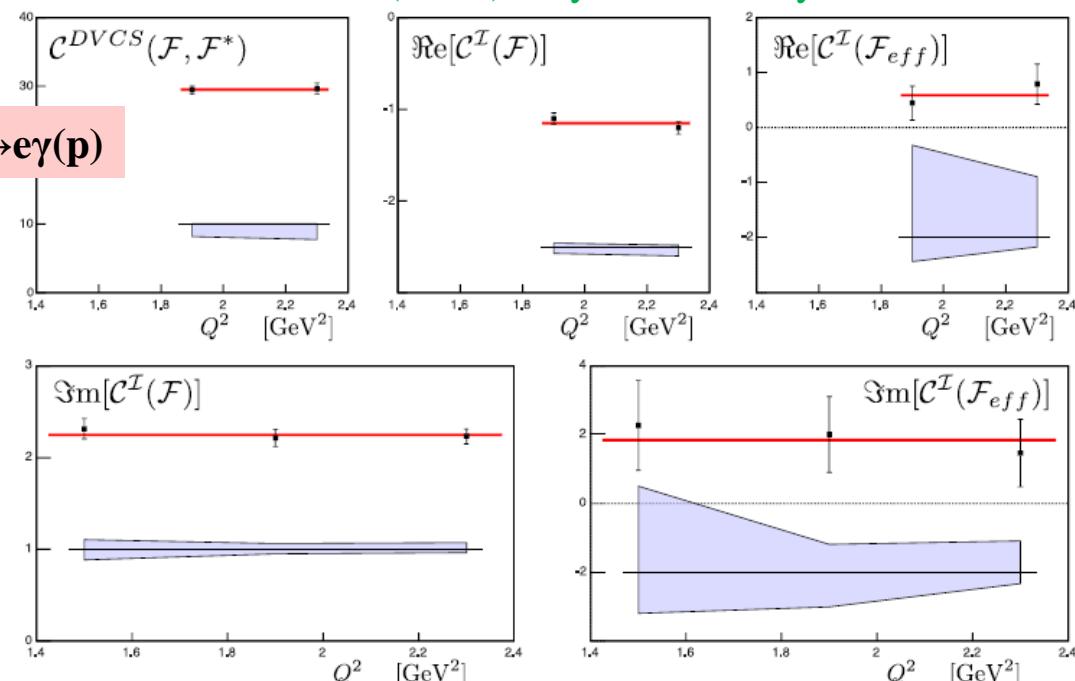
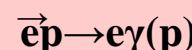


DVCS on the proton in Hall A

M. Defurne et. al., PRC 92, 055202 (2015)

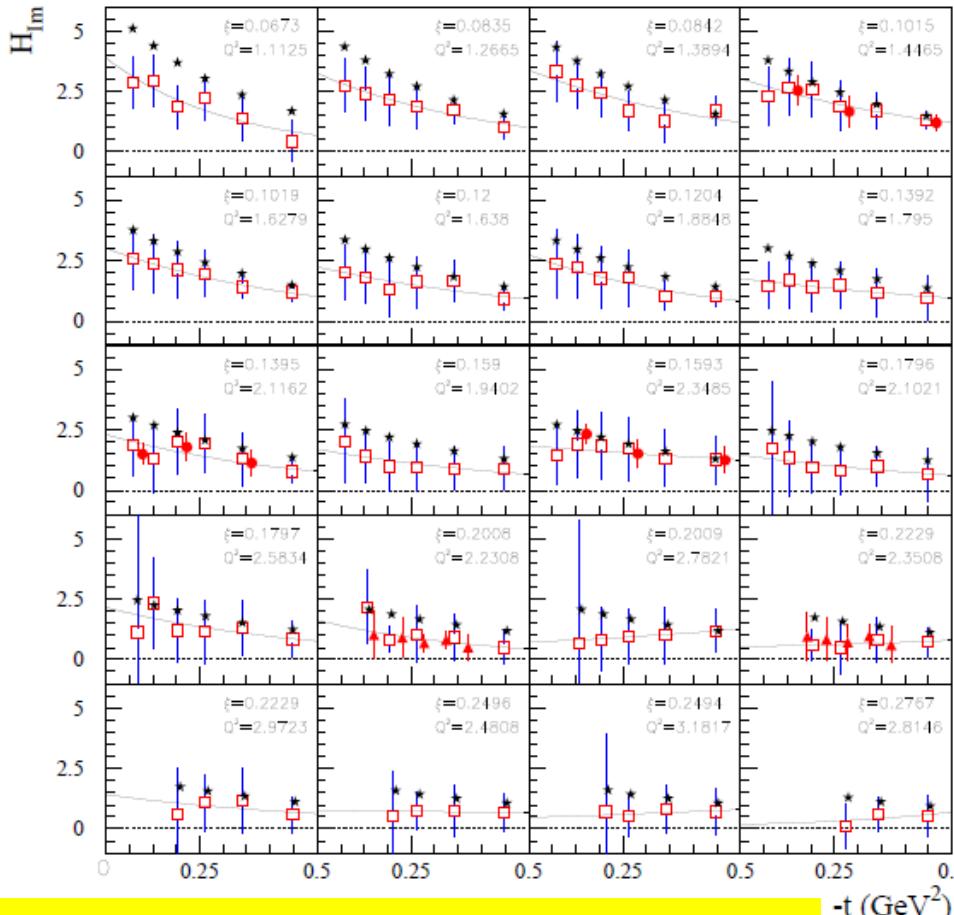


- Significant deviation from Bethe-Heitler
- Both $I(\text{BH}\cdot\text{DVCS})$ and DVCS^2 contribute to the cross section
- Twist-4 corrections (TMC) may be necessary to describe the data



Beam-energy separation at constant Q^2 , x_B and t :
experiment E07-007 (Analysis ongoing)

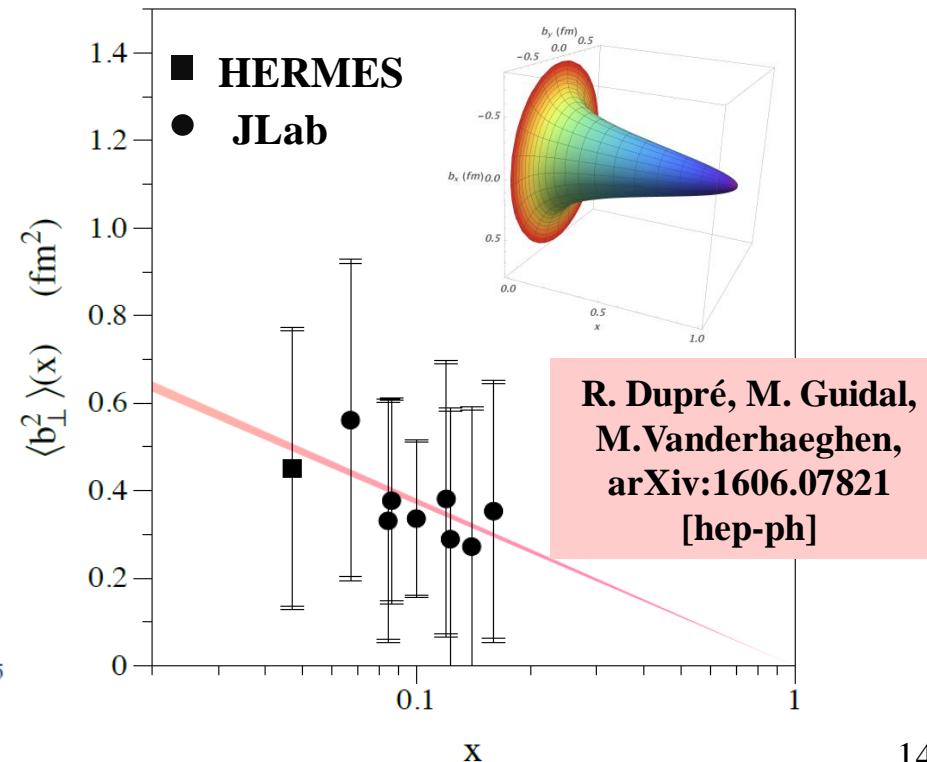
From CFFs to proton transverse size vs x



H_{Im} – fit with all CLAS-2015 and Hall A data

$$\langle b_\perp^2 \rangle^q(x) = -4 \frac{\partial}{\partial \Delta_\perp^2} \ln H_-^q(x, 0, -\Delta_\perp^2) \Big|_{\Delta_\perp=0}$$

Model-dependent « deskewing » factor: $\frac{H(\xi, 0, t)}{H(\xi, \xi, t)}$

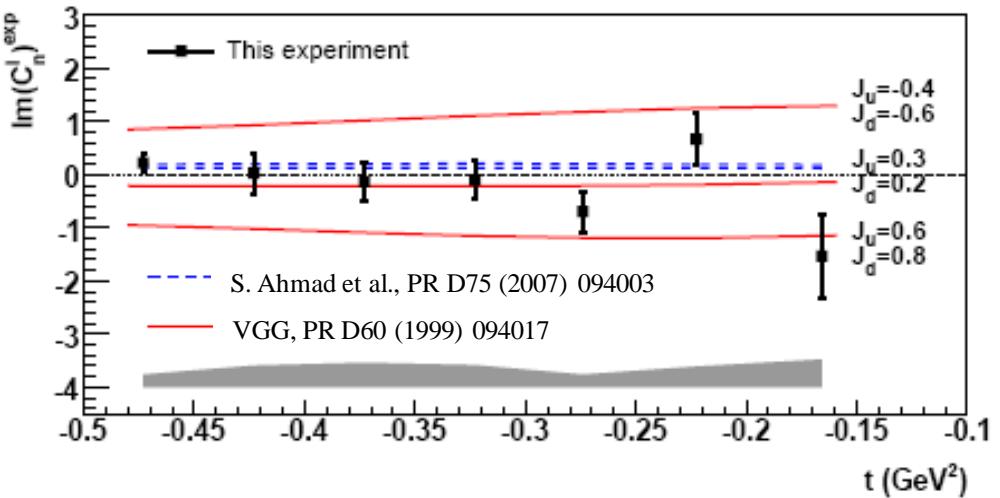


DVCS on the *neutron* in Hall A

M. Mazouz et al., PRL 99 (2007) 242501

$\vec{e}\bar{d} \rightarrow e\gamma(np)$

$$\Delta\sigma_{LU} \sim \sin\phi \operatorname{Im}\{F_1 \mathcal{H} + \xi(F_1 + F_2) \tilde{\mathcal{H}} - k F_2 E\}$$

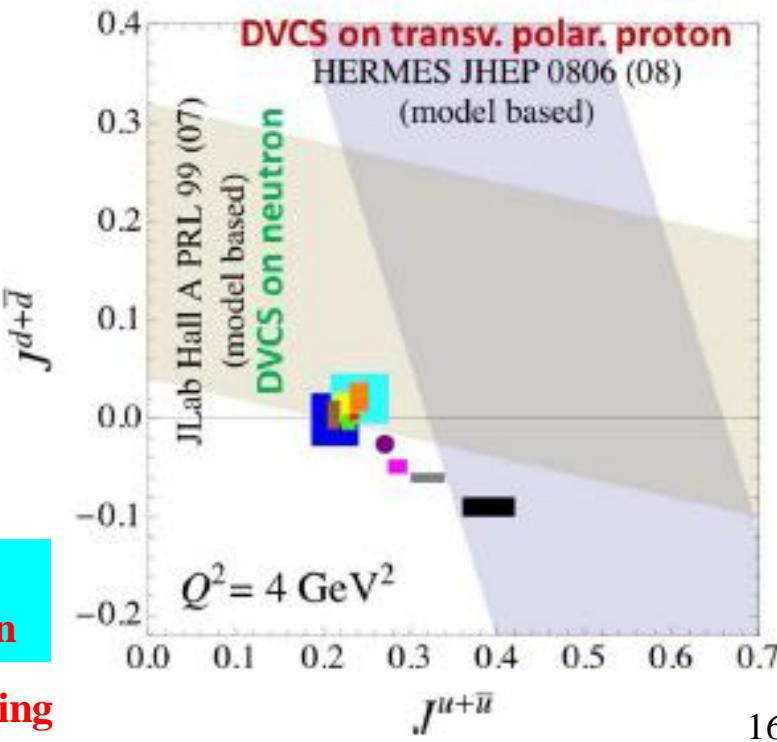


$$\mathcal{H}_p(\xi, t) = \frac{4}{9} \mathcal{H}_u(\xi, t) + \frac{1}{9} \mathcal{H}_d(\xi, t); \quad \mathcal{H}_n(\xi, t) = \frac{1}{9} \mathcal{H}_u(\xi, t) + \frac{4}{9} \mathcal{H}_d(\xi, t)$$

A combined analysis of DVCS observables for proton and neutron targets is necessary for GPD quark-flavor separation

$$\frac{1}{2} \int_{-1}^1 x dx (H^q(x, \xi, t=0) + E^q(x, \xi, t=0)) = J^q$$

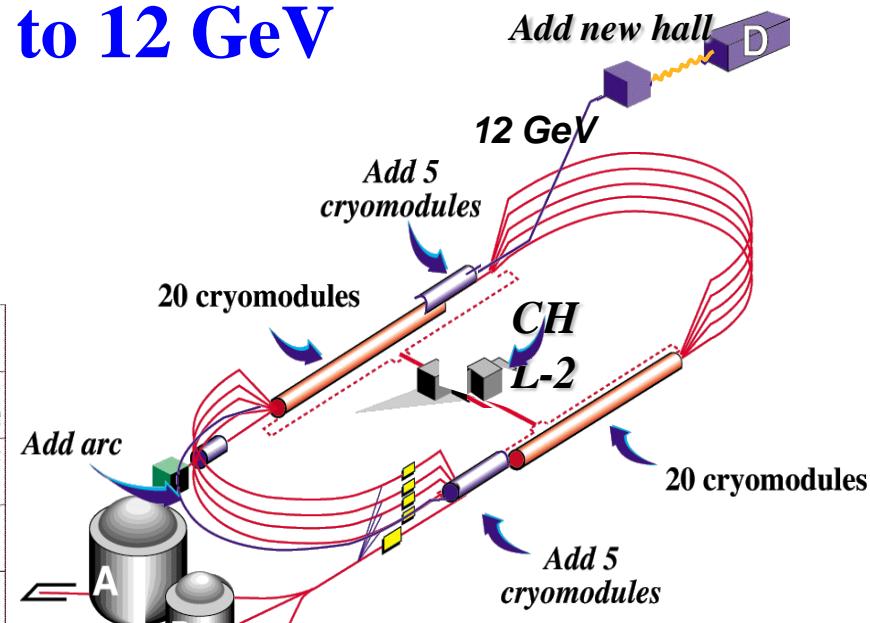
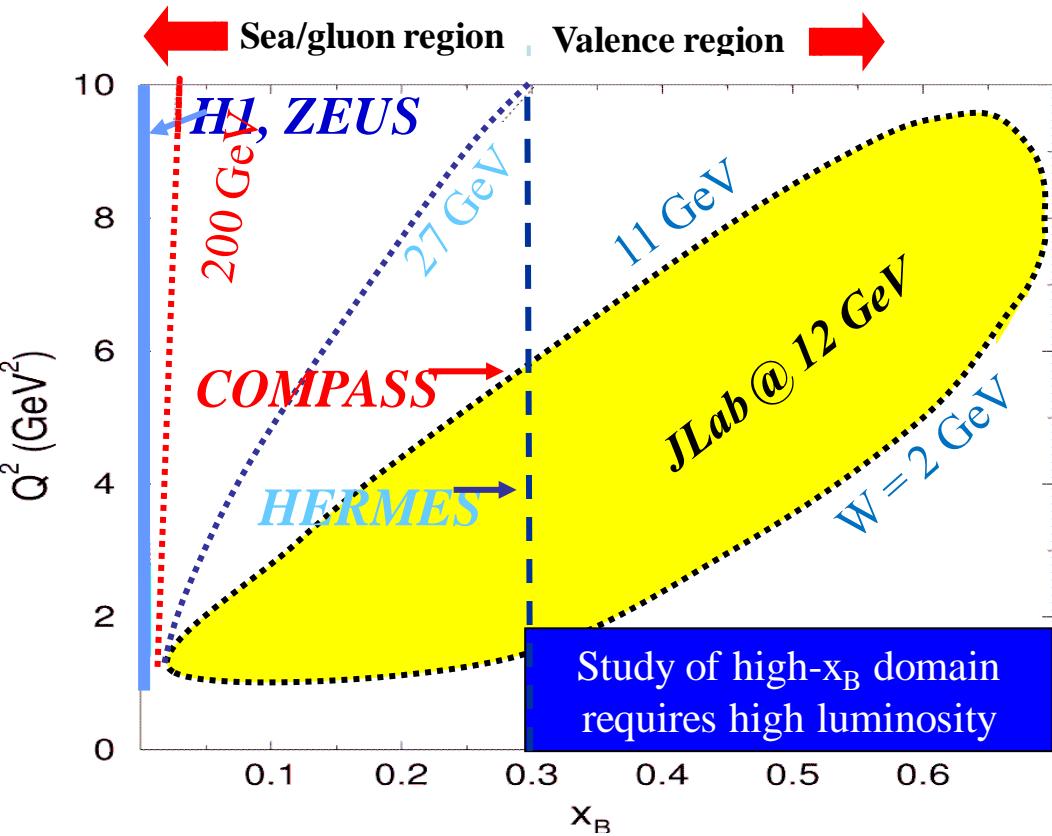
- First-time measurement of $\Delta\sigma_{LU}$ for nDVCS, model-dependent extraction of J_u, J_d



E08-025: Beam-energy separation of nDVCS CS, analysis ongoing

JLab upgrade to 12 GeV

Upgrade of CEBAF completed in 2014



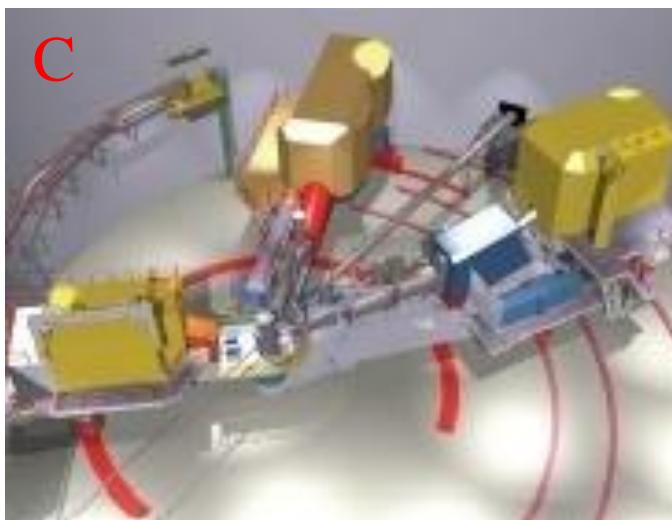
The 12-GeV upgrade is optimal for the
valence-quark regime

New capabilities in Halls A, B & C

DVCS experiments at 11 GeV have been approved for each of these **three halls**.

Complementary programs:

- different kinematic coverage
- different precisions/resolutions
- focus on different observables

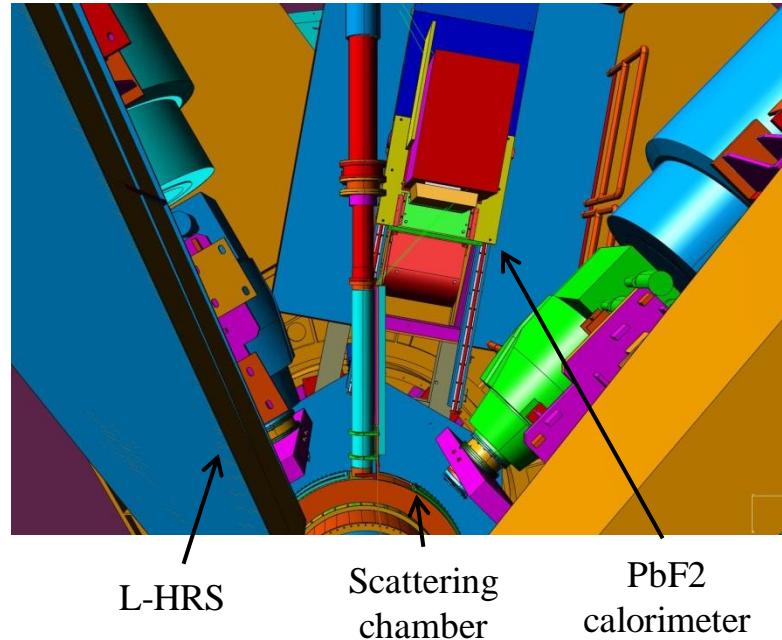
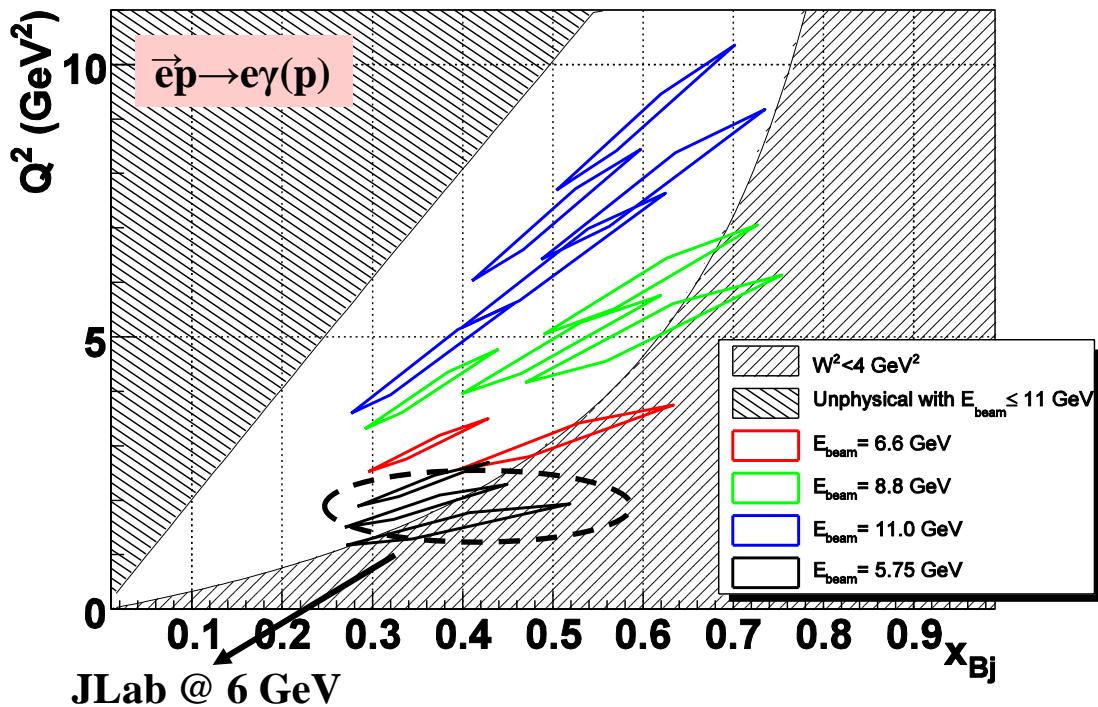


Super High Momentum Spectrometer (SHMS) at high luminosity and forward angles

pDVCS at 11 GeV in Hall A

- Absolute cross section measurements
- Test of scaling: Q^2 dependence of $d\sigma$ at fixed x_B
- Increased kinematical coverage

JLab12 with 3, 4, 5 pass beam (6.6, 8.8, 11.0 GeV)

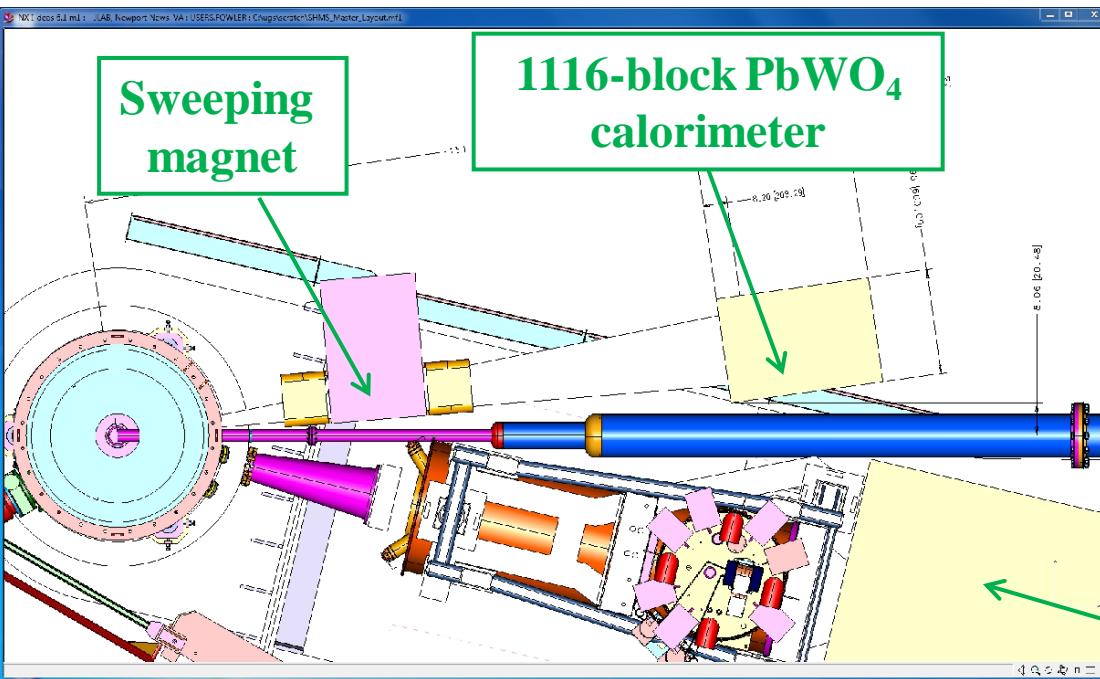


1st JLab experiment after
the 12-GeV upgrade

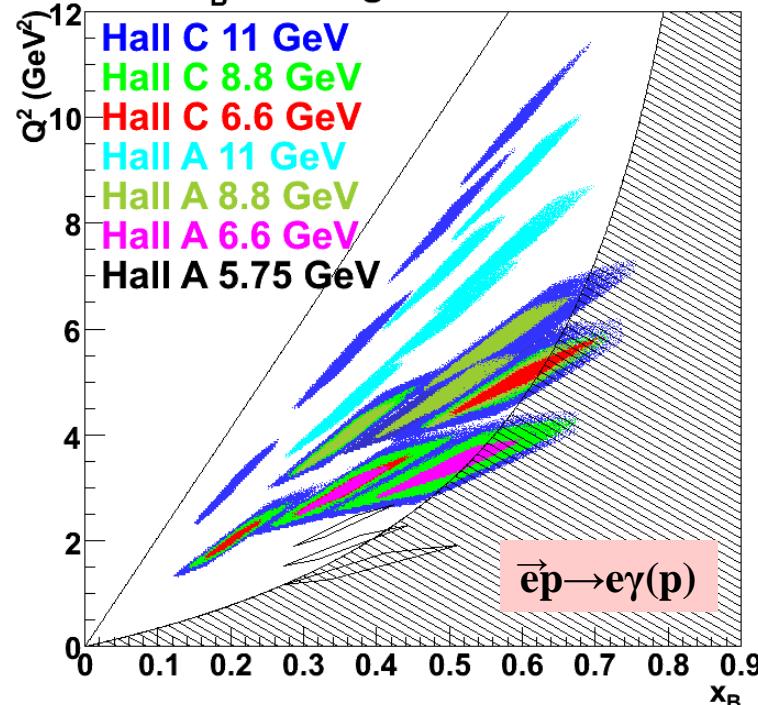
Data taking ongoing

pDVCS at 11 GeV in Hall C

- Energy separation of the DVCS cross section
- Higher Q^2 : measurement of higher twist contributions
- Low- x_B extension (thanks to sweeping magnet)



Q^2 vs x_B coverage in Halls A and C



Hall C
HMS

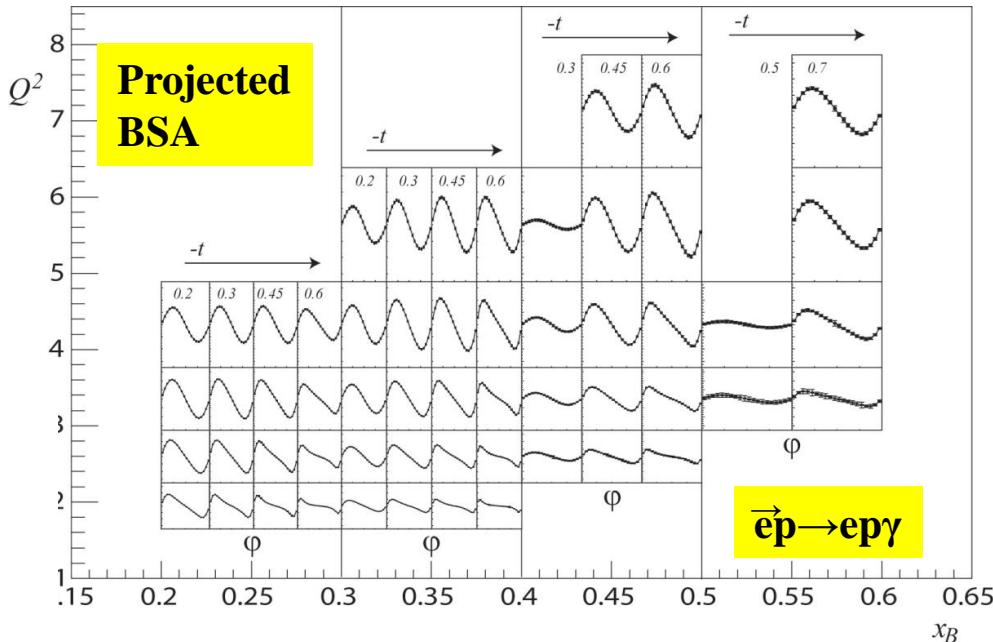
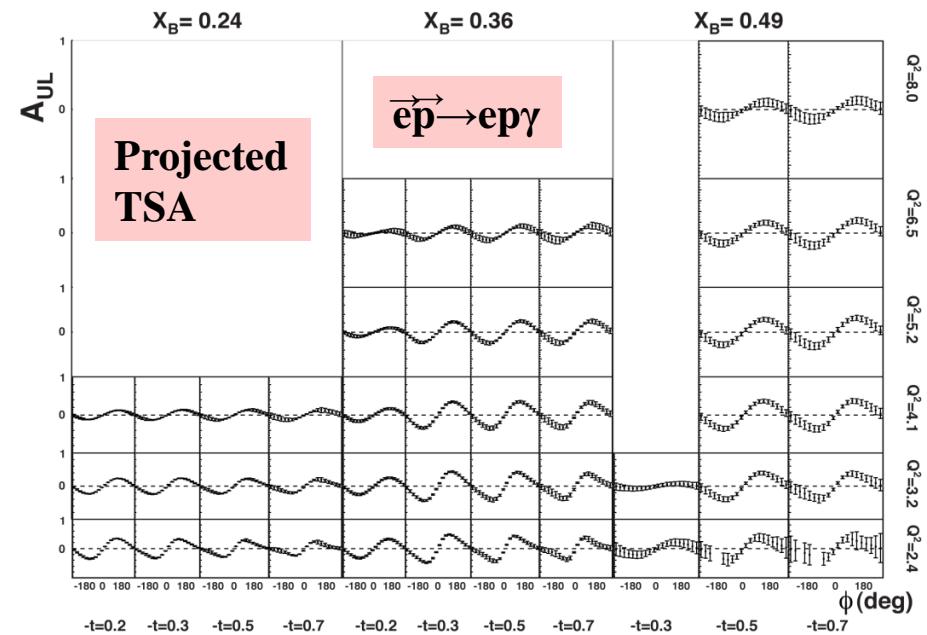
Tentative running:
~ 2019-20

DVCS BSA and TSA with CLAS12 & 11 GeV beam

Liquid hydrogen target

$P_{\text{beam}} = 85\%$, $L = 10^{35} \text{ cm}^{-2}\text{s}^{-1}$

First CLAS12 experiment (2017)



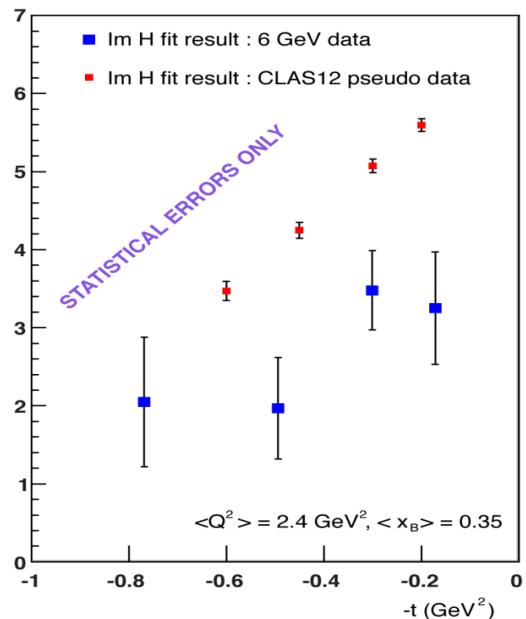
NH₃ longitudinally polarized target
 $P_{\text{target}} = 80\%$, $L = 2.10^{35} \text{ cm}^{-2}\text{s}^{-1}$
 Expected to run in ~2019

DVCS BSA and TSA with CLAS12 & 11 GeV beam

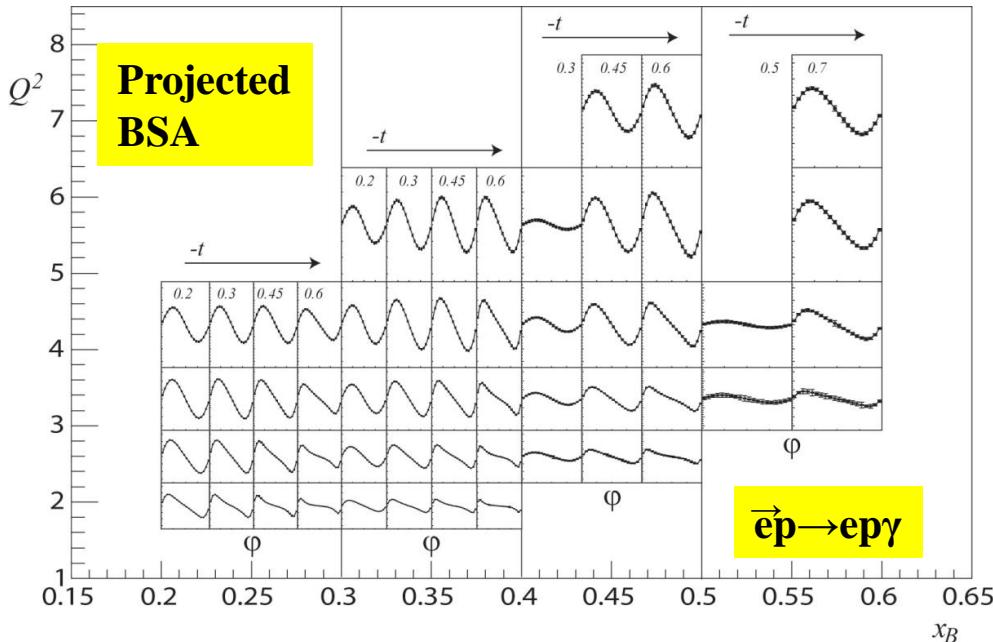
Liquid hydrogen target

$P_{\text{beam}} = 85\%$, $L = 10^{35} \text{ cm}^{-2}\text{s}^{-1}$

First CLAS12 experiment (2017)



Impact of
CLAS12
DVCS-BSA
data
on fit to
extract
 $\text{Im}(H)$

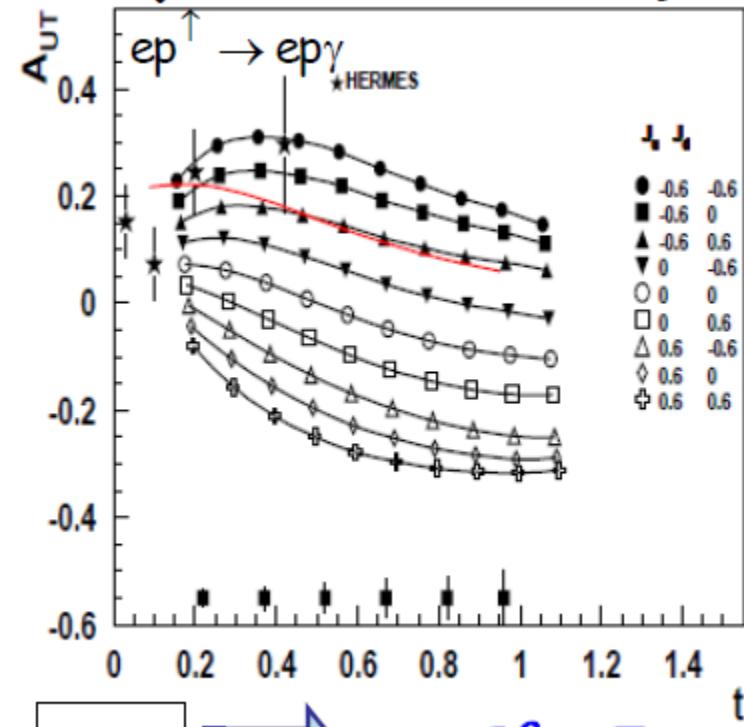


NH₃ longitudinally polarized
target
 $P_{\text{target}} = 80\%$, $L = 2.10^{35} \text{ cm}^{-2}\text{s}^{-1}$
Expected to run in ~2019

CLAS12: p-DVCS *transverse* target-spin asymmetry

100 days of beam time; Beam pol. = 80% ; target pol. (HDIce) = 60% ; Luminosity = $5 \times 10^{33} \text{ cm}^{-2}\text{s}^{-1}$

Projections for $Q^2=2.5 \text{ GeV}^2, x_B = 0.2$

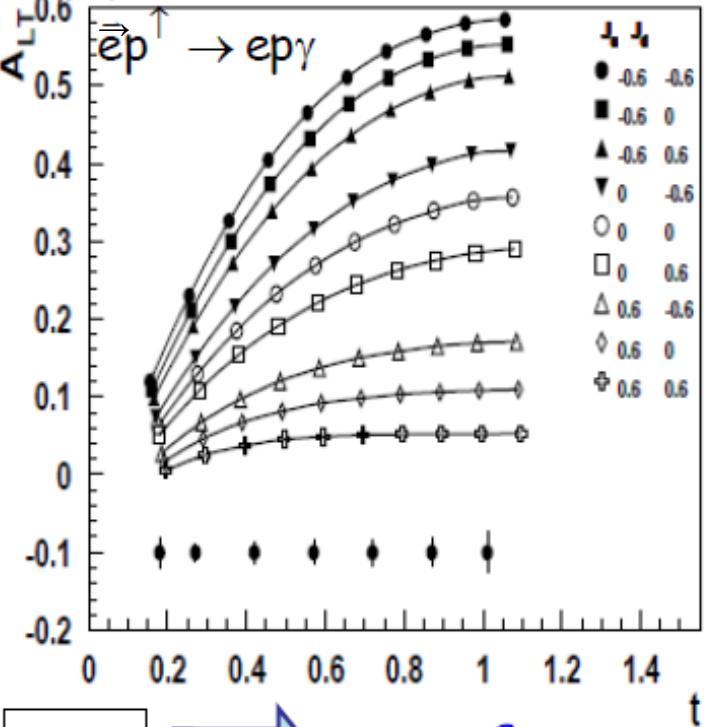


Transverse-target spin asymmetry for p-DVCS is **highly sensitive** to $E \rightarrow$ the **u-quark contributions** to proton spin.

JLab PAC:
high-impact
experiment

Conditionally
approved by PAC39
Tests on HDIce
target are ongoing

Projections for $Q^2=2.5 \text{ GeV}^2, x_B = 0.2$



BSA for DVCS on the *neutron* with CLAS12

$$\Delta\sigma_{LU} \sim \textcolor{red}{\sin\phi} \operatorname{Im}\{F_1\mathcal{H} + \xi(F_1+F_2)\tilde{\mathcal{H}} - kF_2\textcolor{blue}{E}\}d\phi$$

80 days of data taking $L = 10^{35} \text{ cm}^{-2}\text{s}^{-1}/\text{nucleon}$

$\overrightarrow{\text{ed}} \rightarrow \text{eyn(p)}$

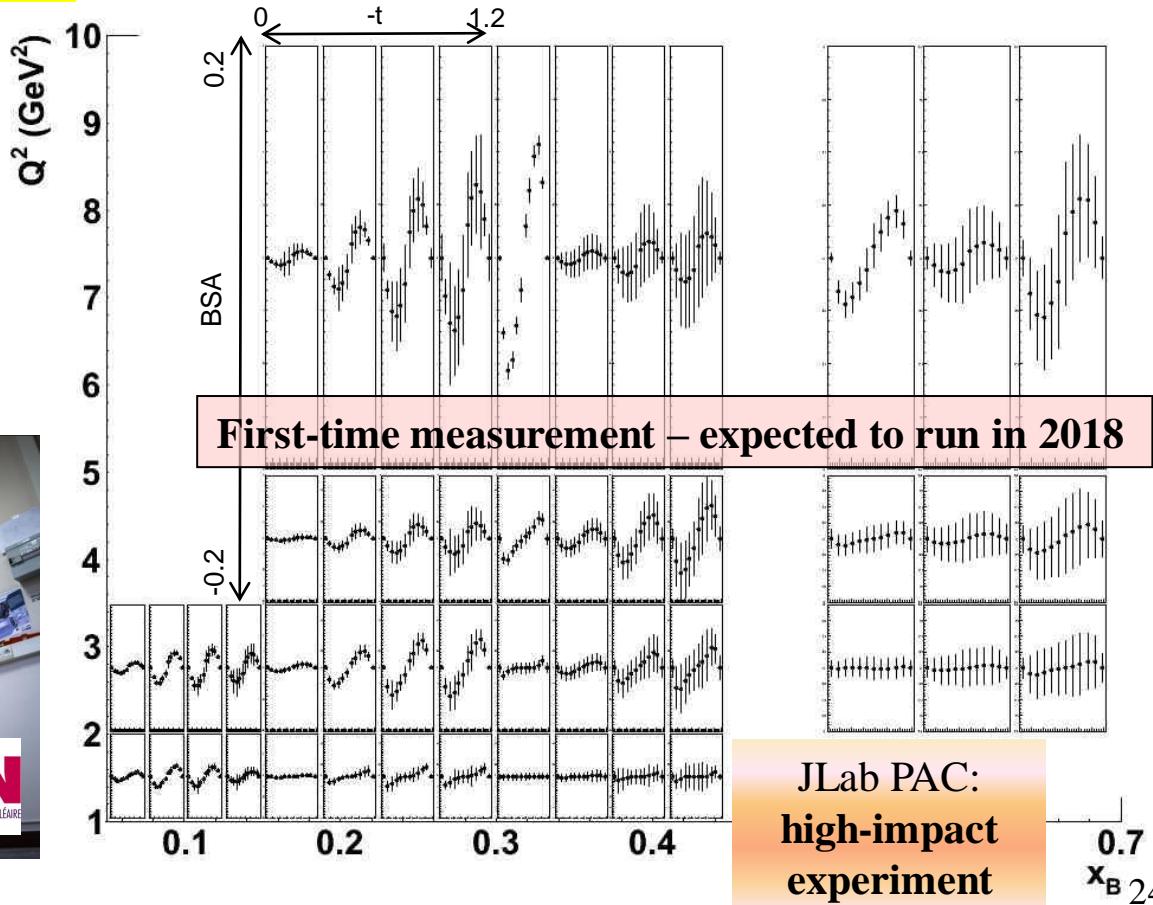
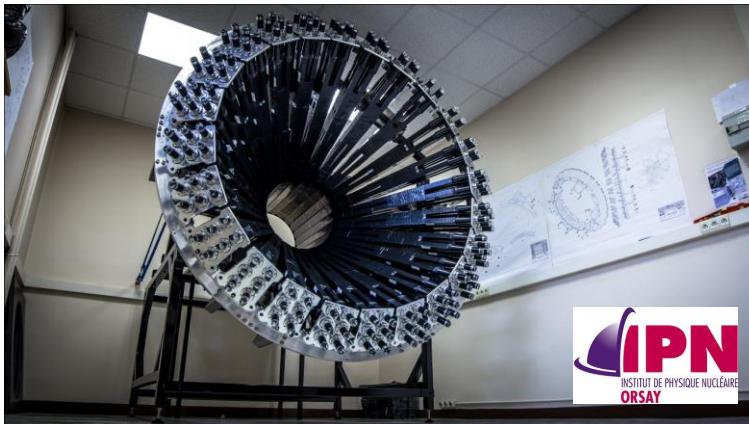
- The most sensitive observable to E

$$(H, E)_u(\xi, \xi, t) = \frac{9}{15} [4(H, E)_p(\xi, \xi, t) - (H, E)_n(\xi, \xi, t)]$$

$$(H, E)_d(\xi, \xi, t) = \frac{9}{15} [4(H, E)_n(\xi, \xi, t) - (H, E)_p(\xi, \xi, t)]$$

- Flavor separation of CFFs

Central Neutron Detector



JLab PAC: **high-impact experiment**

BSA for DVCS on the *neutron* with CLAS12

$$\Delta\sigma_{LU} \sim \sin\phi \operatorname{Im}\{F_1\mathcal{H} + \xi(F_1+F_2)\tilde{\mathcal{H}} - kF_2\mathcal{E}\}d\phi$$

80 days of data taking $L = 10^{35} \text{ cm}^{-2}\text{s}^{-1}/\text{nucleon}$

$\bar{e}d \rightarrow e\gamma n(p)$

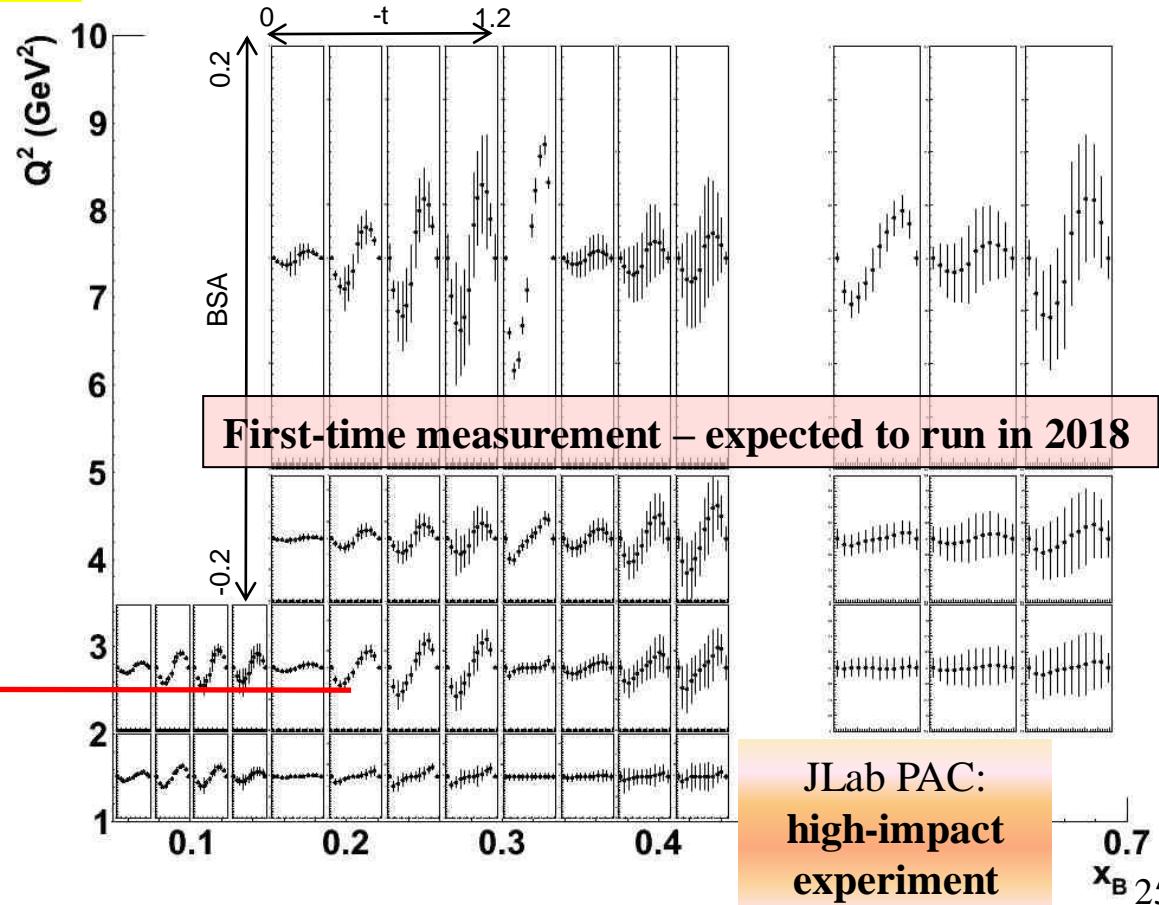
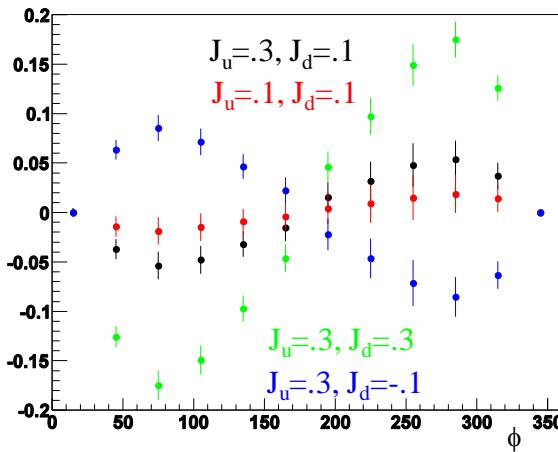
- The most sensitive observable to E

$$(H, E)_u(\xi, \xi, t) = \frac{9}{15} [4(H, E)_p(\xi, \xi, t) - (H, E)_n(\xi, \xi, t)]$$

$$(H, E)_d(\xi, \xi, t) = \frac{9}{15} [4(H, E)_n(\xi, \xi, t) - (H, E)_p(\xi, \xi, t)]$$

- Flavor separation of CFFs

Model predictions (VGG) for different values of quarks' OAM



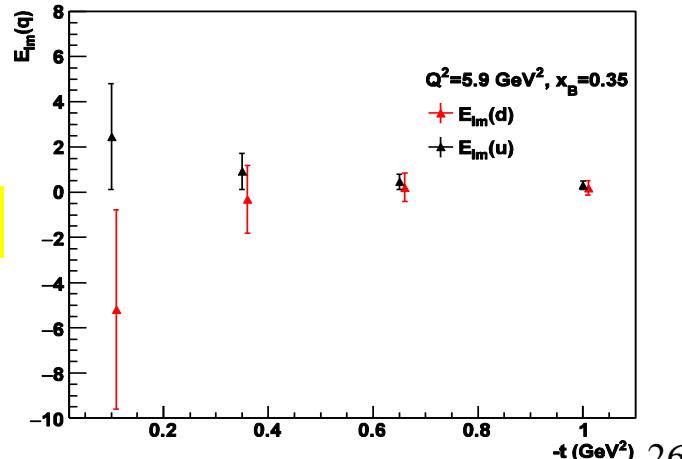
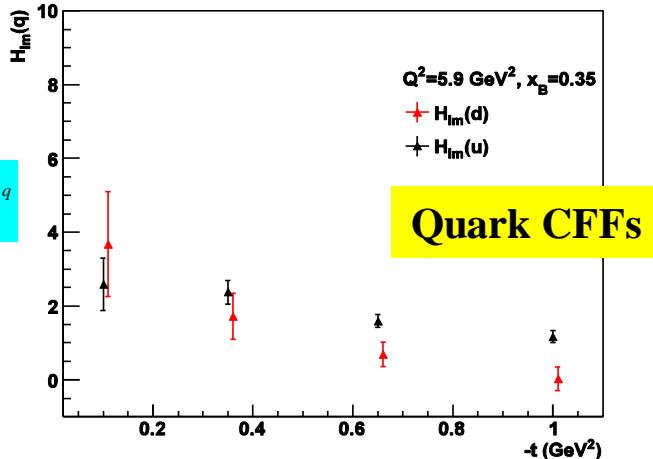
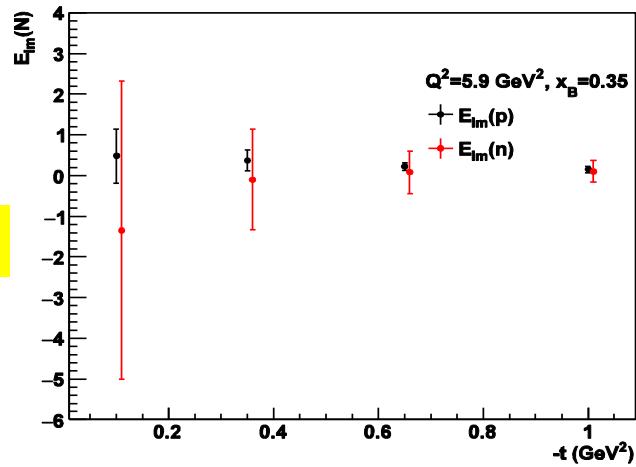
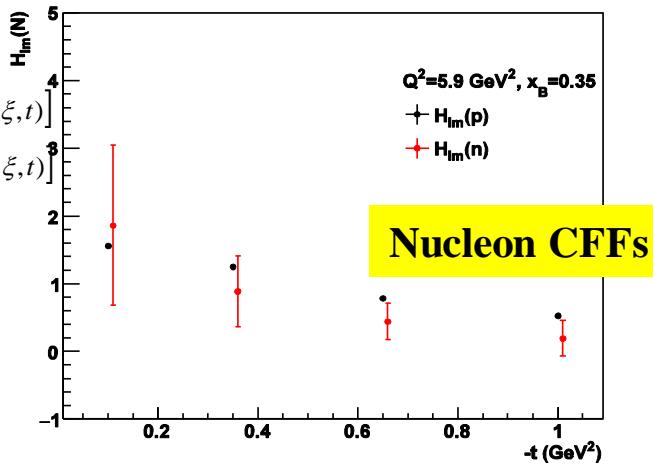
CLAS12: projections for flavor separation ($\text{Im}\mathcal{H}$, $\text{Im}\mathcal{E}$)

$$(H, E)_u(\xi, \xi, t) = \frac{9}{15} [4(H, E)_p(\xi, \xi, t) - (H, E)_n(\xi, \xi, t)]$$

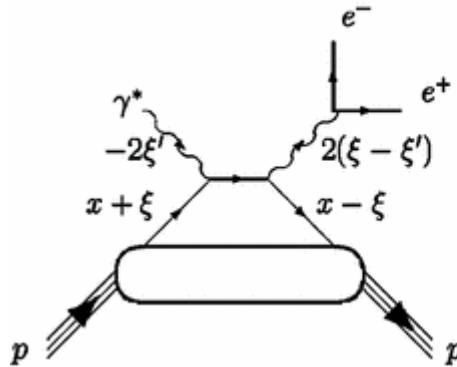
$$(H, E)_d(\xi, \xi, t) = \frac{9}{15} [4(H, E)_n(\xi, \xi, t) - (H, E)_p(\xi, \xi, t)]$$

Fits done to all the projected observables for pDVCS (BSA, ITSA, IDSA, tTSA, CS, Δ CS) and nDVCS (BSA, ITSA, IDSA) of the CLAS12 program

$$\frac{1}{2} \int_{-1}^1 x dx (H^q(x, \xi, t=0) + E^q(x, \xi, t=0)) = J^q$$

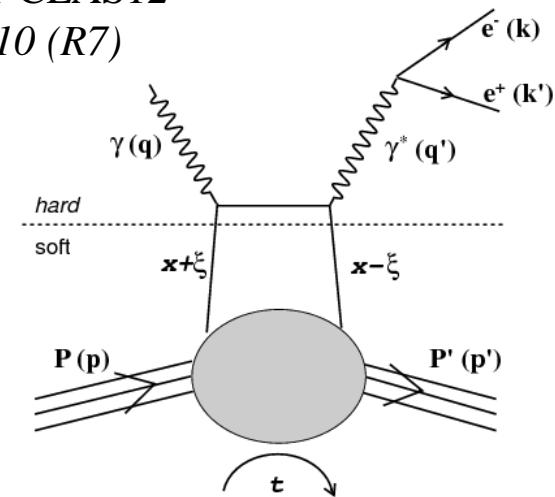


GPDs: beyond DVCS



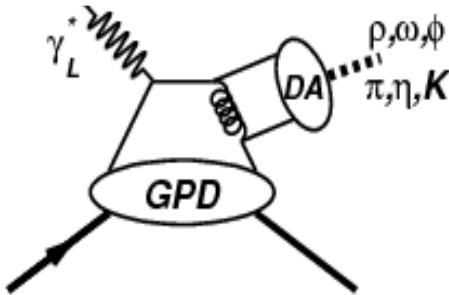
Double DVCS: $\gamma^* p \rightarrow p \gamma^* \rightarrow p l^+ l^-$

- Access to **x dependence** of GPDs, decorrelated from ξ
- LOI for SOLID (Hall A), and plans for CLAS12
- See talk by A. Camsonne, today at 14:10 (R7)



Time-like Compton Scattering: $\gamma p \rightarrow p \gamma^* \rightarrow p l^+ l^-$

- Sensitive to **real part** of CFFs, test of **universality** of GPDs
- CLAS12 experiment running in 2017, with pDVCS



Deeply virtual meson production: $\gamma^* p \rightarrow p M$

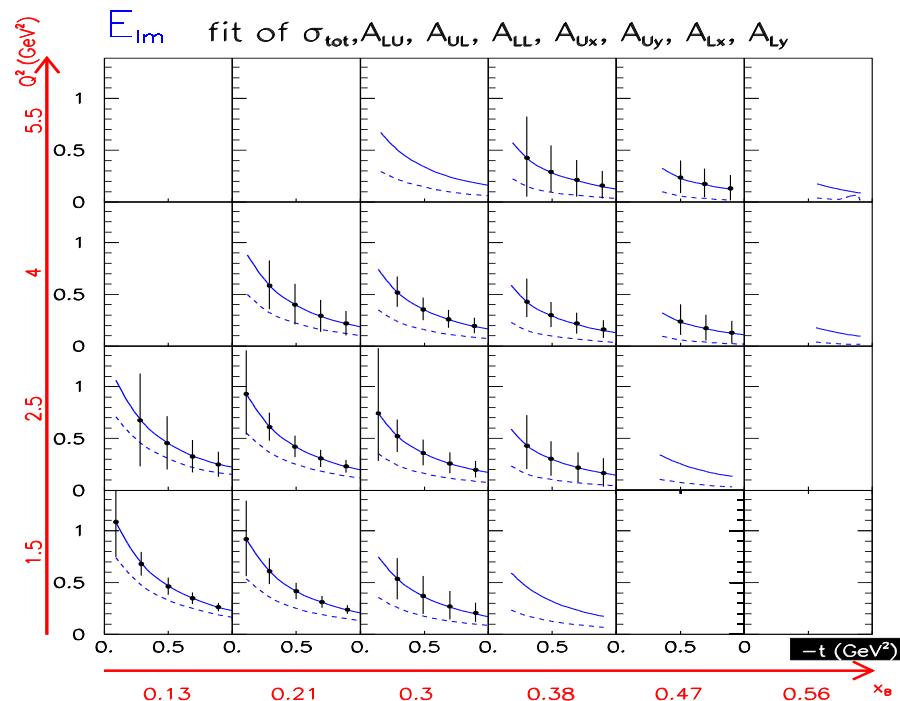
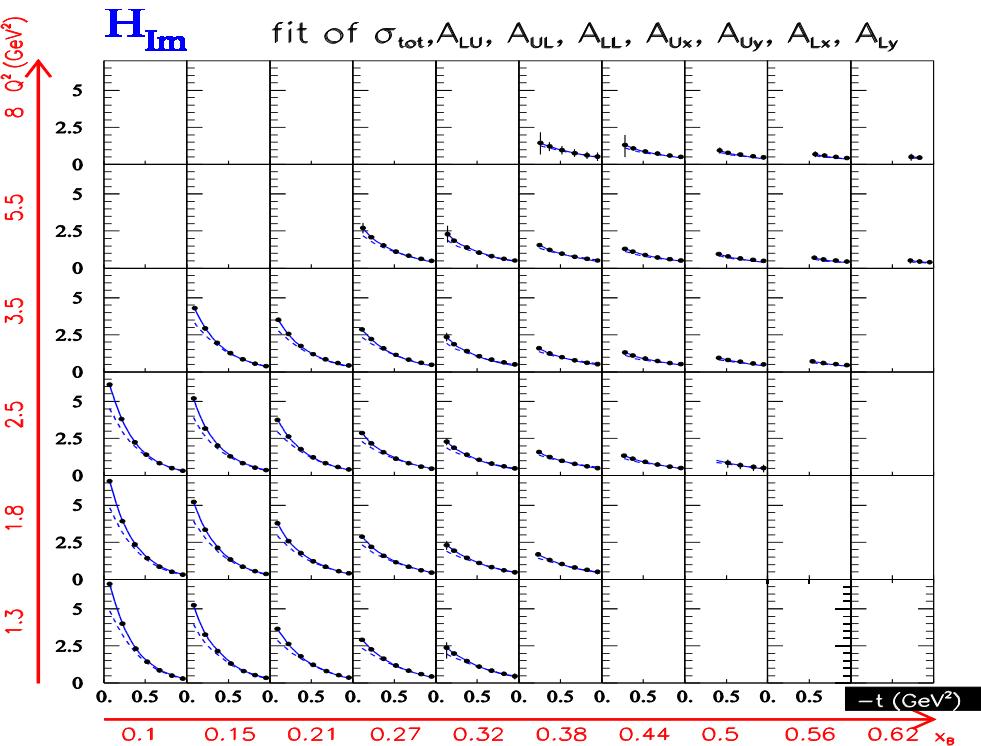
- **Flavor separation** of GPDs, **universality**
- **Transversity GPDs** (pseudoscalars mesons)
- Experiments in Hall A, CLAS12

Summary

- ✓ GPDs are a unique tool to explore the **internal dynamics of the nucleon**:
 - **3D** quark/gluon **imaging** of the nucleon
 - **orbital angular momentum** carried by quarks
 - ✓ Recently-developed fitting methods allow to **extract CFFs from DVCS observables**. Need to measure several **p-DVCS** and **n-DVCS observables** over a **wide phase space**
 - ✓ A wealth of **new results** on various DVCS observables is coming from JLab (**CLAS** and **Hall-A**) experiments at 6 GeV (on the proton, deuterium and ^4He targets)
 - ✓ First **tomographic interpretations** of the quarks in the **proton**:
 - ✓ **valence quarks** are concentrated in its **center**, **sea quarks** at its **perifery**
 - ✓ **axial charge** more concentrated than the **electric** one
- The 12-GeV-upgraded JLab will be **the only facility** to perform DVCS experiments **in the valence region**, for Q^2 up to 11 GeV
- DVCS experiments on both **proton** and **deuterium** targets are planned for **3 of the 4 Halls** at **JLab@12 GeV**: **quarks' spatial densities, quark-flavor separation, quarks' orbital angular momentum...**
- **Beyond DVCS: double DVCS (x dependence), TCS, exclusive meson production, ...**

Back-up slides

Projections for CLAS12 for $H_{im}(p)$ and $E_{im}(p)$

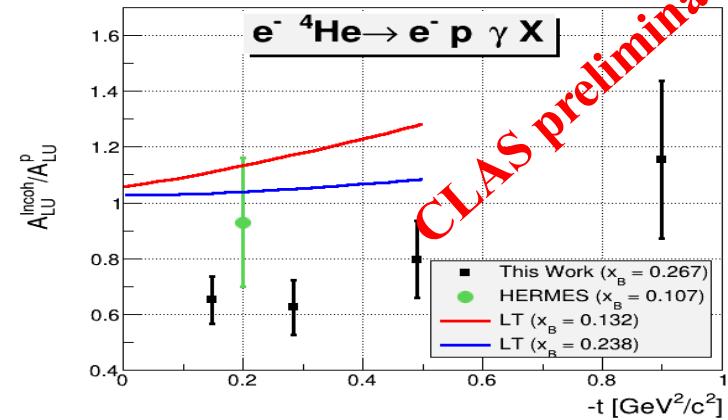
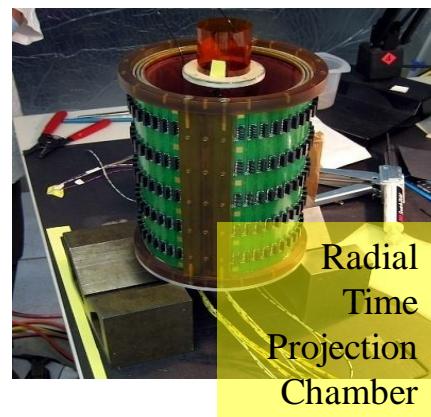
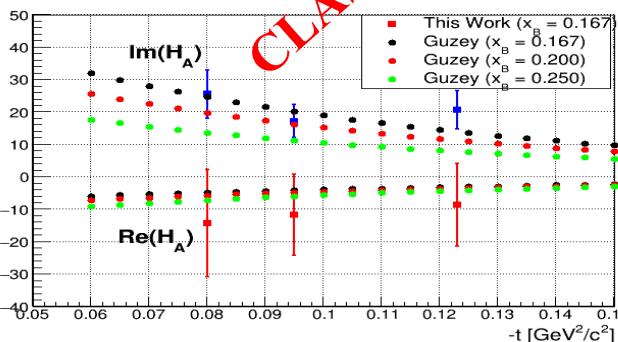
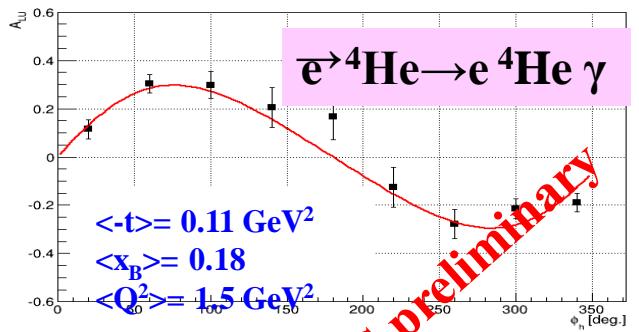
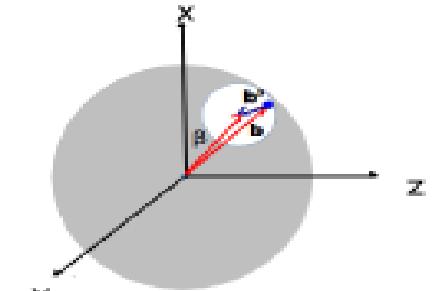


DVCS on nuclei: the CLAS eg6 experiment

- CLAS+IC+RTPC+ ^4He target; E~6.065 GeV
- Coherent and incoherent DVCS: nuclear GPDs, EMC effect

^4He is a spin-0 nucleus: at twist-2 only one CFF in DVCS BSA

$$A_{LU}(\varphi) = \frac{\alpha_0(\varphi) F_A(t) \Im[\mathcal{H}_A]}{\alpha_1(\varphi) F_A^2(t) + \alpha_2(\varphi) F_A(t) \Re[\mathcal{H}_A] + \alpha_3(\varphi) \Re[\mathcal{H}_A]^2 + \alpha_3(\varphi) \Im[\mathcal{H}_A]^2}$$



- Small $-t$: asymmetry for ^4He lower than the bound proton one
- High $-t$: the two asymmetries tend to become compatible

Work by M. Hattawy, IPNO & ANL

Extraction of Compton Form Factors from DVCS observables

GPDs cannot directly be extracted from DVCS observables, one can access
Compton Form Factors:

8 CFF

$$\left\{ \begin{array}{l} \text{Re}(\mathcal{H}) = P \int_0^1 dx [H(x, \xi, t) - H(-x, \xi, t)] C^+(x, \xi) \\ \text{Re}(\mathcal{E}) = P \int_0^1 dx [E(x, \xi, t) - E(-x, \xi, t)] C^+(x, \xi) \\ \text{Re}(\tilde{\mathcal{H}}) = P \int_0^1 dx [\tilde{H}(x, \xi, t) + \tilde{H}(-x, \xi, t)] C^-(x, \xi) \\ \text{Re}(\tilde{\mathcal{E}}) = P \int_0^1 dx [\tilde{E}(x, \xi, t) + \tilde{E}(-x, \xi, t)] C^-(x, \xi) \\ \text{Im}(\mathcal{H}) = H(\xi, \xi, t) - H(-\xi, \xi, t) \\ \text{Im}(\mathcal{E}) = E(\xi, \xi, t) - E(-\xi, \xi, t) \\ \text{Im}(\tilde{\mathcal{H}}) = \tilde{H}(\xi, \xi, t) - \tilde{H}(-\xi, \xi, t) \\ \text{Im}(\tilde{\mathcal{E}}) = \tilde{E}(\xi, \xi, t) - \tilde{E}(-\xi, \xi, t) \end{array} \right.$$

with $C^\pm(x, \xi) = \frac{1}{x - \xi} \pm \frac{1}{x + \xi}$

M. Guidal: **Model-independent fit**, at fixed Q^2 , x_B and t of DVCS observables
8 parameters (the CFFs), loosely bound (+/- 5 x VGG prediction)
M. Guidal, Eur. Phys. J. A 37 (2008) 319 & many other papers...

From CFFs to spatial densities

How to go from momentum coordinates (t)
to space-time coordinates (b) ?

(*M. Guidal, H. Moutarde, M. Vanderhagen,*

Rept.Prog.Phys. 76 (2013) 066202)

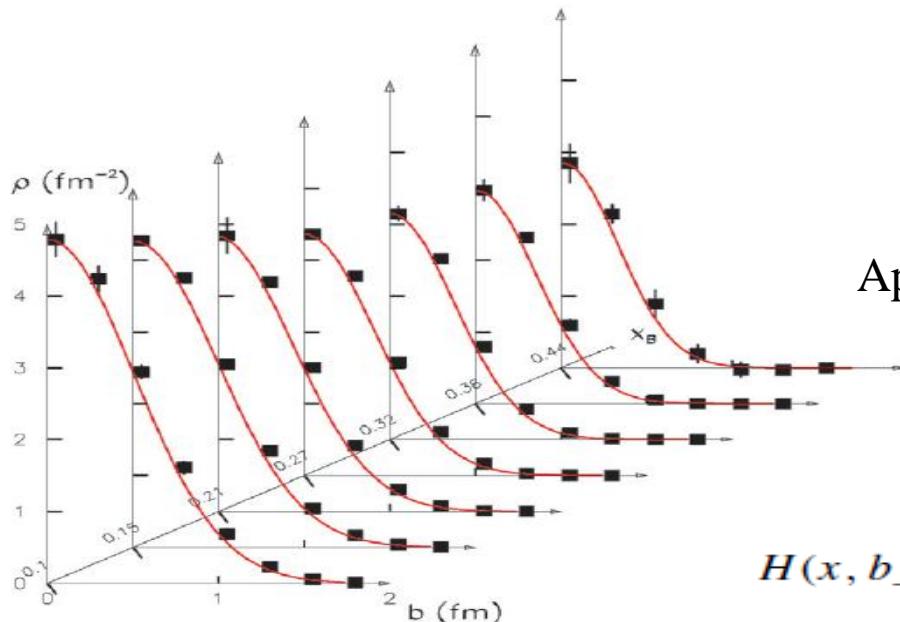
$$H_{\text{Im}}(\xi, t) \equiv H(\xi, \xi, t) - H(-\xi, \xi, t)$$

Applying a model-dependent “deskewing” factor:

$$\frac{H(\xi, 0, t)}{H(\xi, \xi, t)}$$

$$H(x, b_\perp) = \int_0^\infty \frac{d\Delta_\perp}{2\pi} \Delta_\perp J_0(b_\perp \Delta_\perp) H(x, 0, -\Delta_\perp^2)$$

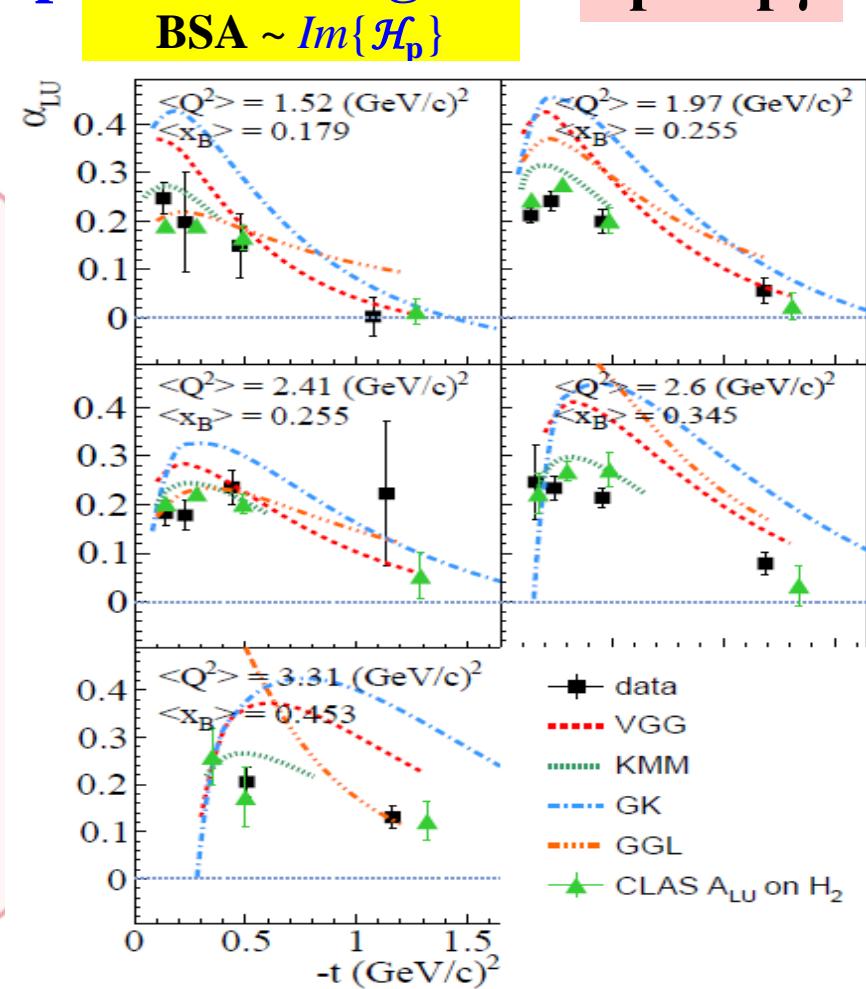
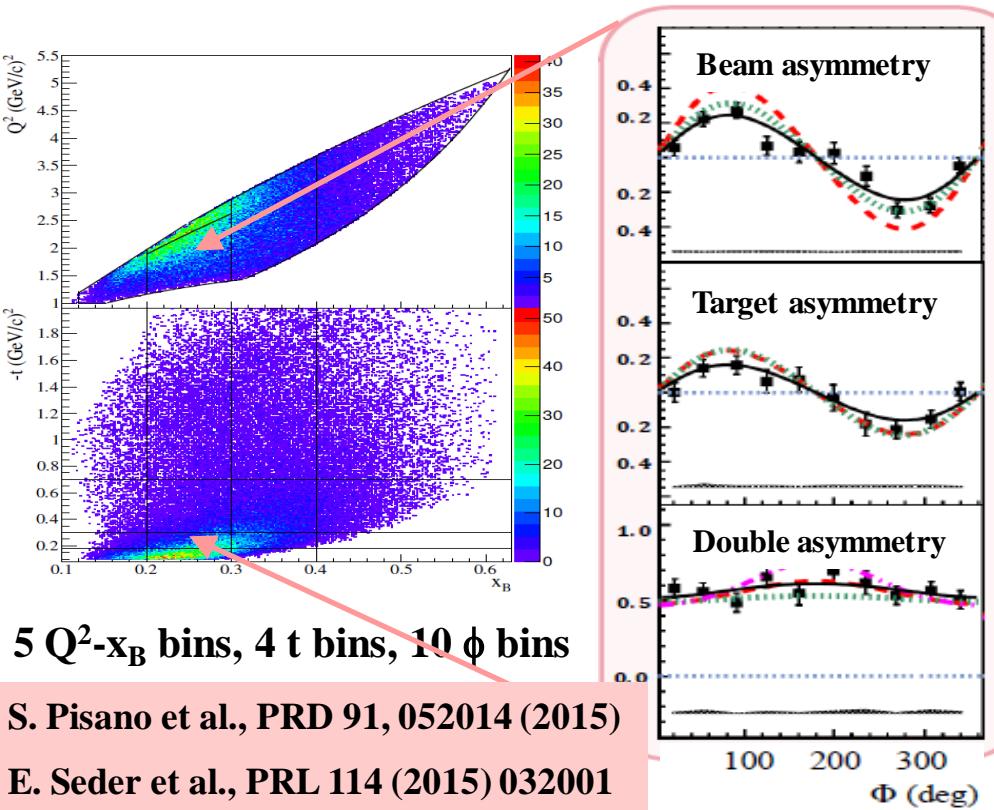
Burkardt (2000)



CLAS: DVCS on longitudinally polarized target

$\vec{e}\vec{p} \rightarrow e\gamma$

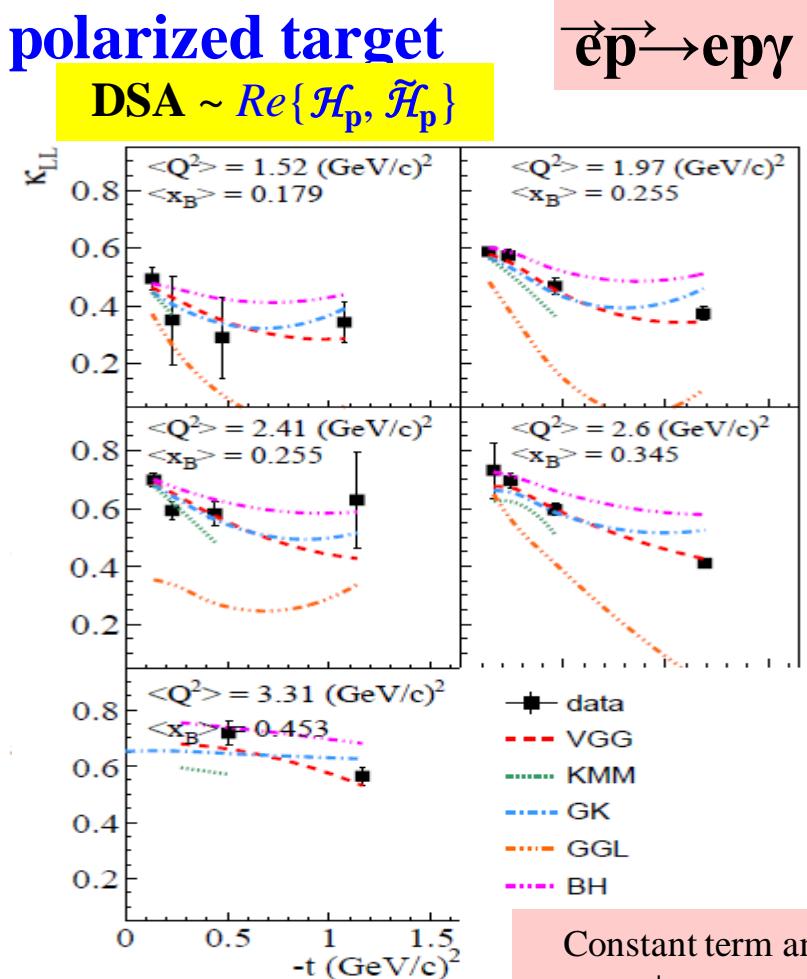
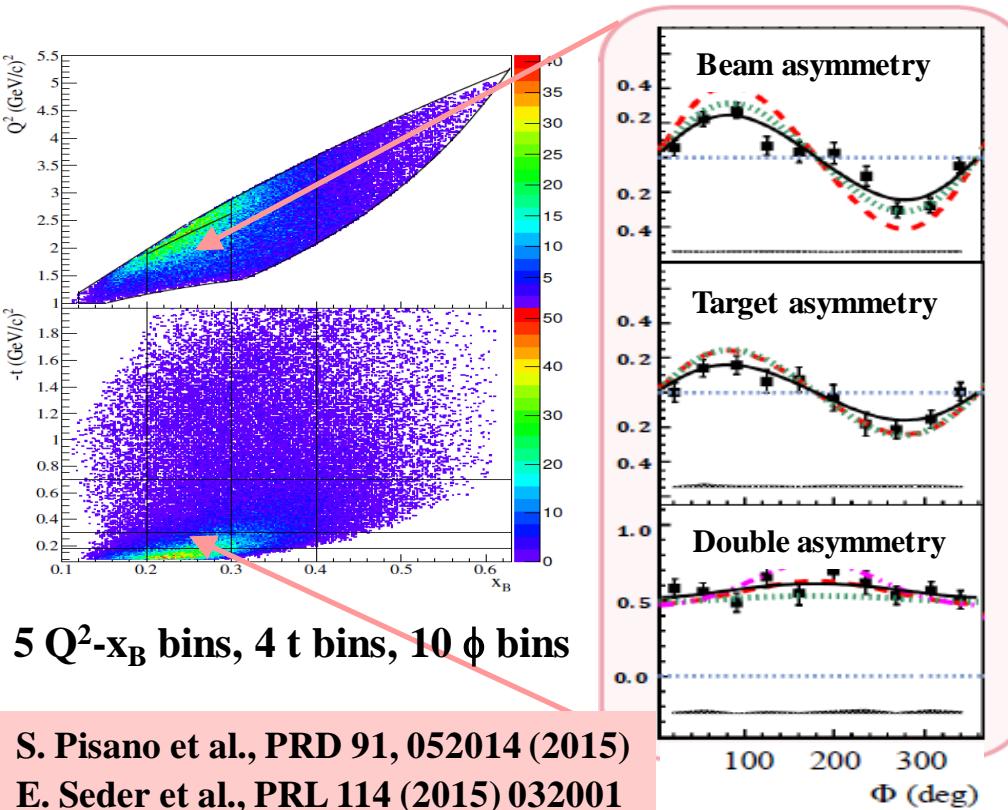
- Target: longitudinally polarized NH_3 ($P \sim 80\%$)
- **3 DVCS observables**



CLAS: DVCS on longitudinally polarized target

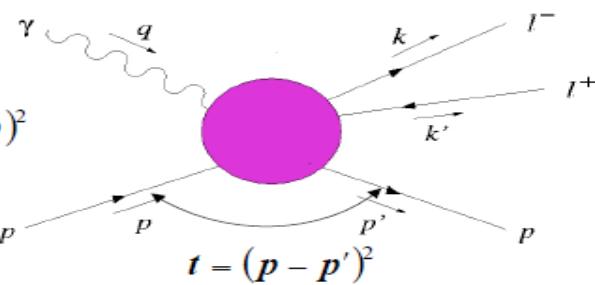
$\vec{e}\vec{p} \rightarrow e\gamma$

- Target: longitudinally polarized NH₃ (P~80%)
- **3 DVCS observables**



Timelike Compton Scattering with CLAS12

$\gamma p \rightarrow p\gamma^* (\rightarrow e^+e^-)$



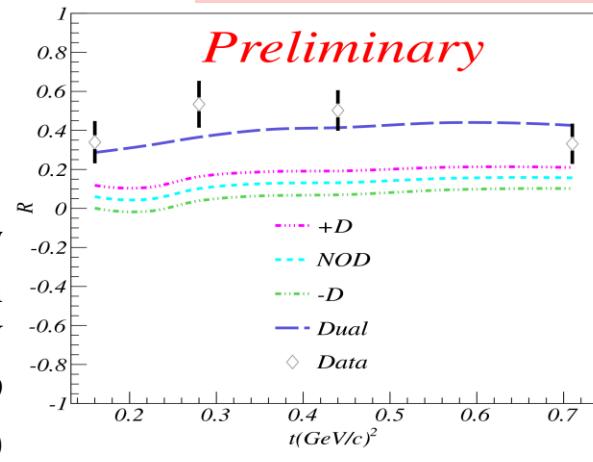
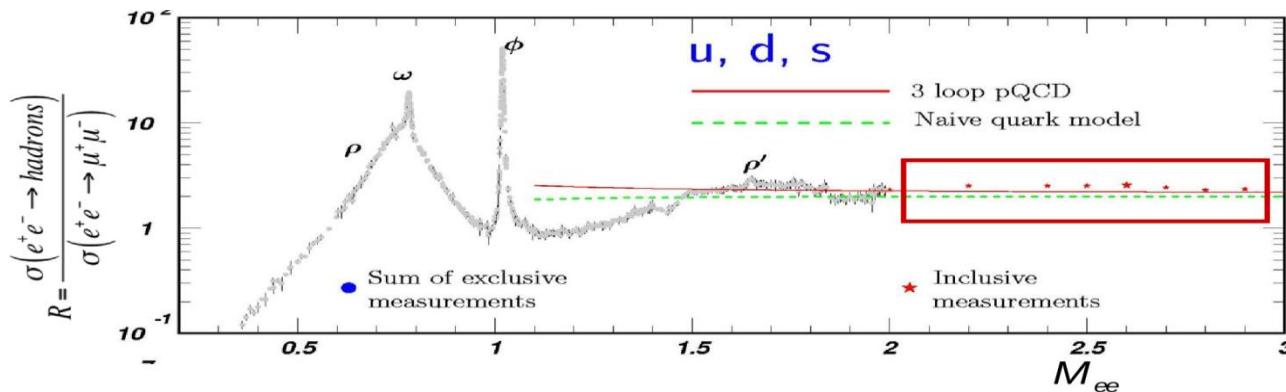
$$Q'^2 = M_{tr}^2 = (k + k')^2$$

$$\eta = \frac{Q'^2}{2s - Q'^2}$$

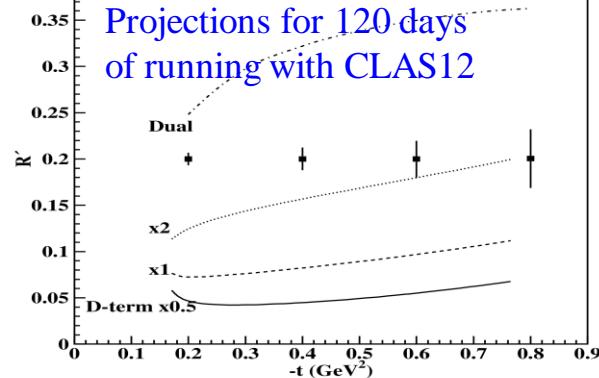
Exploratory
measurement with
CLAS@6 GeV
(R. Paremuzyan, IPNO
& Yerevan)

TCS: sensitivity to the **real** part of CFFs

$$R = \frac{\frac{2\pi}{0} d\phi \cos\phi \frac{dS}{dQ'^2 dt d\phi}}{\int_0^{2\pi} d\phi \frac{dS}{dQ'^2 dt d\phi}} \propto \tilde{M}^{--} = \frac{2\sqrt{t_0 - t}}{m} \frac{1 - \eta}{1 + \eta} \left[F_1 \mathcal{H} - \eta(F_1 + F_2) \tilde{\mathcal{H}} - \frac{t}{4m^2} F_2 \mathcal{E} \right]$$



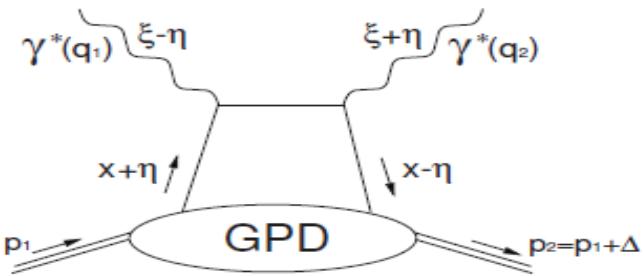
$\langle s \rangle = 15.5 \text{ GeV}^2, \langle Q'^2 \rangle = 5 \text{ GeV}^2$



Double DVCS at SoLID (Hall A)

$ep \rightarrow e\gamma^*(\rightarrow \mu^+\mu^-)$

LOI12-15-005,
endorsed by
PAC43



The virtuality of the emitted photon allows to investigate the **x and ξ dependence** of the GPDs in an **uncorrelated way**

Experimental setup, Hall A:
SoLID detector + **muon detection chambers**

